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# Measurement of $d\sigma/dp_T (Z / \gamma^* \rightarrow e^+ e^-)$ at D0

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DPF2006

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# Outline of the Talk

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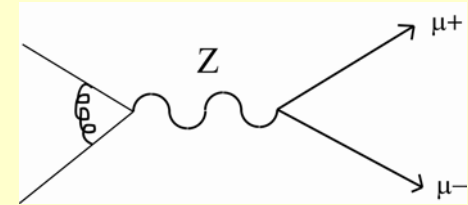
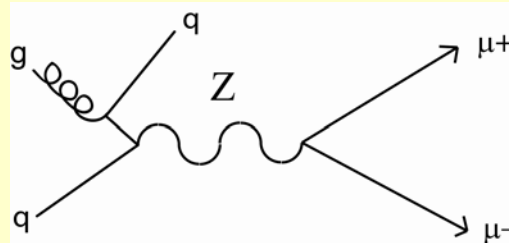
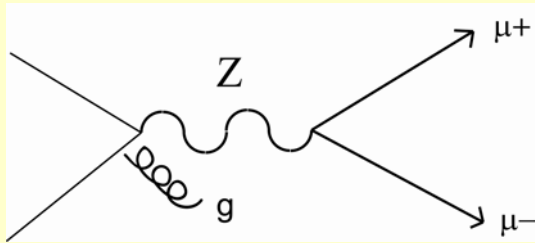


- Motivation
- D0 detector
- $Z / \gamma^* \rightarrow e^+ e^-$  event selection
- Single electron efficiencies
- Monte Carlo simulation
- Background
- Unfolding of detector smearing
- Systematic uncertainty estimate
- Preliminary result and conclusions

# Motivation



- Z boson production: QCD  $q\bar{q} \rightarrow Z$
- $p_T$  of Z boson : **initial state gluon radiation of the colliding partons**



$\frac{d^2\sigma}{dp_T^2 dy}$  calculation:

- **High  $p_T$ , perturbative QCD**

$$\frac{d^2\sigma}{dp_T^2 dy} \propto \frac{\alpha_w \alpha_s}{p_T^2} \ln\left(\frac{Q^2}{p_T^2}\right) \rightarrow \infty \text{ as } p_T^2 \rightarrow 0$$

- **Low  $p_T$ , soft and collinear gluon resummation**



# Motivation



- CSS(Collins,Soper, Sterman) formalism:

$$\frac{d^2 \sigma_{ij \rightarrow V}}{dp_T^2 dy} \approx \int_0^\infty d^2 b e^{i \vec{p}_T \cdot \vec{b}} W(b, Q) + Y(b, Q)$$

- **W(b,Q) resumming the perturbative series  $p_T^{-2} \times [1 \text{ or } \ln(Q^2 / p_T^2)]$  to all orders in  $\alpha_s$**
- **Y(b,Q) diff between the fix order perturbative result and the singular part**
- **To extend to  $p_T \rightarrow 0$  region, where non-perturbative QCD dominate the production**

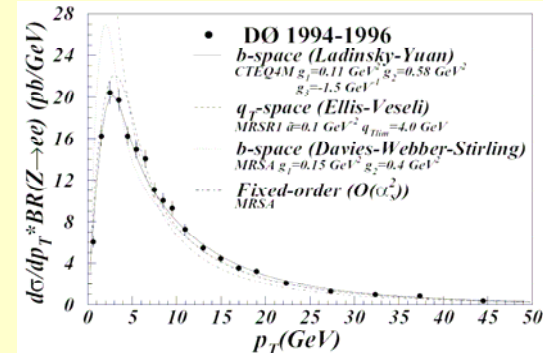
$$W(b, Q) \rightarrow W(b_*, Q) e^{-S_{NP}(b, Q)} \quad b_* \equiv b / \sqrt{1 + (b / b_{\max})^2} \leq b_{\max}$$

- **$S_{NP}$ : non-perturbative Sudakov form factor**

- **Lindasky-Yuan form:**

$$S_{NP}^{LY}(b, Q^2) = g_1 b^2 + g_2 b^2 \ln\left(\frac{Q^2}{2Q_0^2}\right) + g_1 g_3 b \ln(100 x_i x_j)$$

- **Provide sensitive test of the weak boson production formalism**
- **Help to reduce theory uncertainty of the precision W mass measurement**



# Motivation

Hep-ph/0401128: Berge, Nadolsky, Olness, Yuan

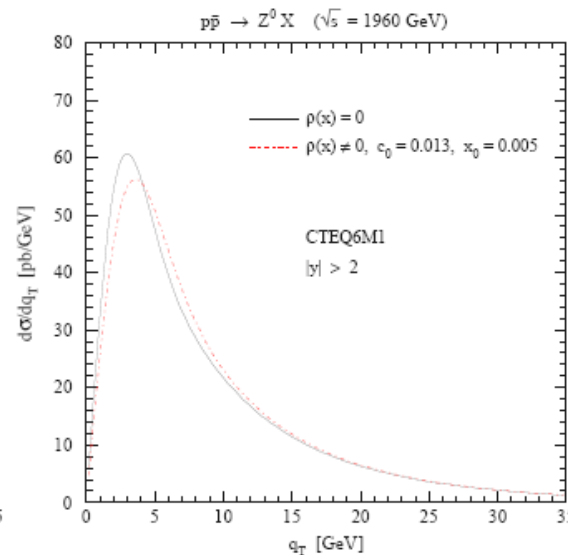
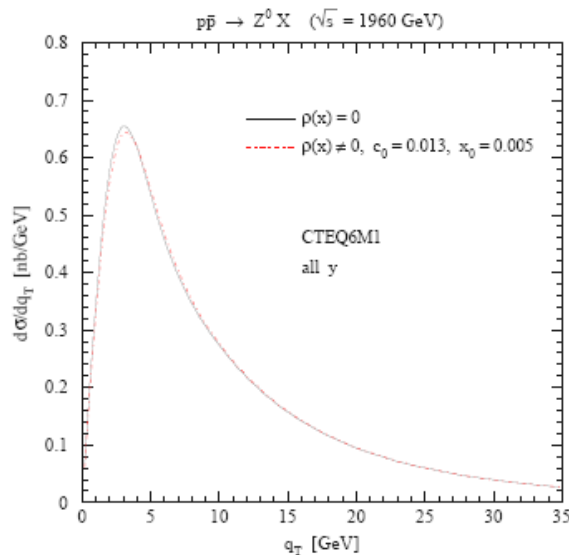


**Problem: resummation can not describe  $P_T$  in semi-inclusive DIS**

**Solution? Two large logs. Normal resummation handles**

$$\frac{1}{\sigma} \frac{d\sigma}{dp_T^2} \simeq \frac{1}{p_T^2} \left[ A_1 \alpha_s \ln\left(\frac{Q^2}{p_T^2}\right) + A_2 \alpha_s^2 \ln^3\left(\frac{Q^2}{p_T^2}\right) + \dots + A_n \alpha_s^n \ln^{2n-1}\left(\frac{Q^2}{p_T^2}\right) + \dots \right]$$

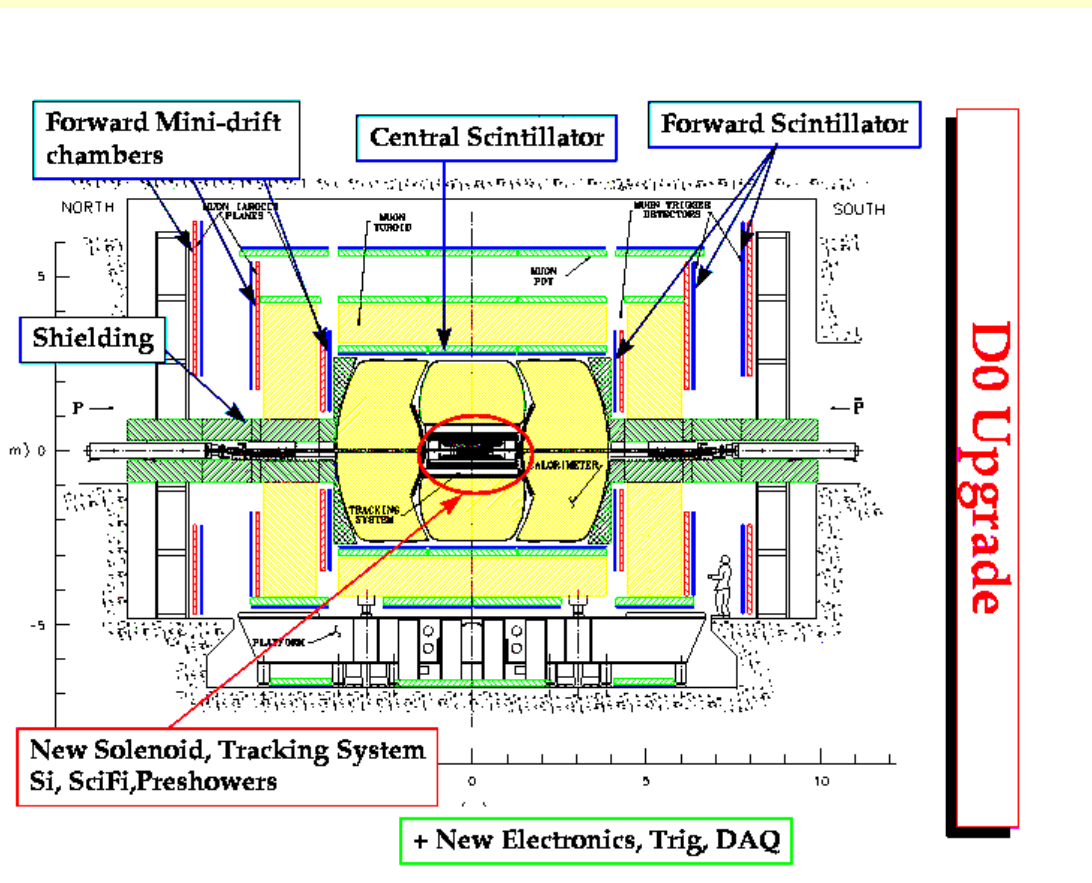
**Normal resummation does not handle  $\alpha_s^n \ln^n(1/x)$  terms. Mock this in nonpert part**



Small  $x$   
broadening



# D0 detector



- **Tracking system:**
    - Silicon microstrip tracker
    - Scintillating fiber tracker
    - Super conducting solenoid
  - **Uranium/liquid argon calorimeter**
- coverage:
- Central:  $|\eta| < 1.1$
- Endcaps:  $1.5 < |\eta| < 4.2$
- **Muon detector with toroid**

# Data Sample and Event Selection



- Data collected in D0 Run II between Oct 2002 and Jan 2006, bad runs removed.  $\int L dt \sim 965 \pm 58 pb^{-1}$

## Two high $p_T$ electrons each satisfying:

- $p_T > 25$  GeV
- isolated
- in good region of calorimeter
- matches typical electron shower shape
- have a track match
- Invariant mass between [70, 110] GeV
- At least one electron fires a single electron trigger

CCCC	CCEC	ECEC	All
23957	30116	9583	63656

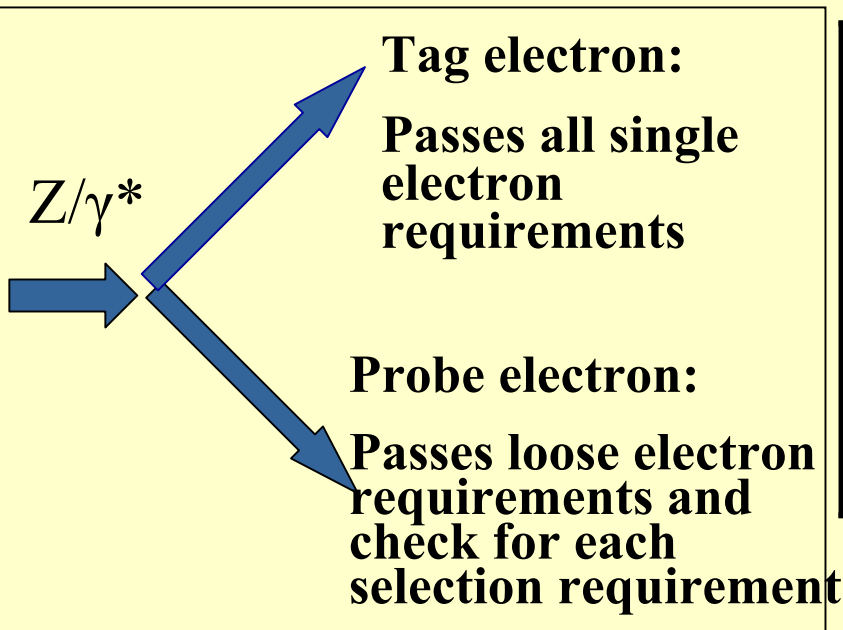
TABLE I: Results of event selection



# Single Electron Efficiencies



- Tag and probe method



	CC	EC
Electron identification	(99.5 ±0.1)%	(99.1 ±0.1)%
Trigger	(98.5 ±0.1)%	(97.9 ±0.1)%
Shower shape	(97.1 ±0.1)%	(96.9 ±0.1)%
Track match	(90.5 ±0.1)%	(61.7 ±0.1)%

$$\epsilon = \frac{N_{pass}^{probe}}{N_{All}^{probe}}$$

Their dependence on electron location and  $P_T$  are modeled in Monte carlo

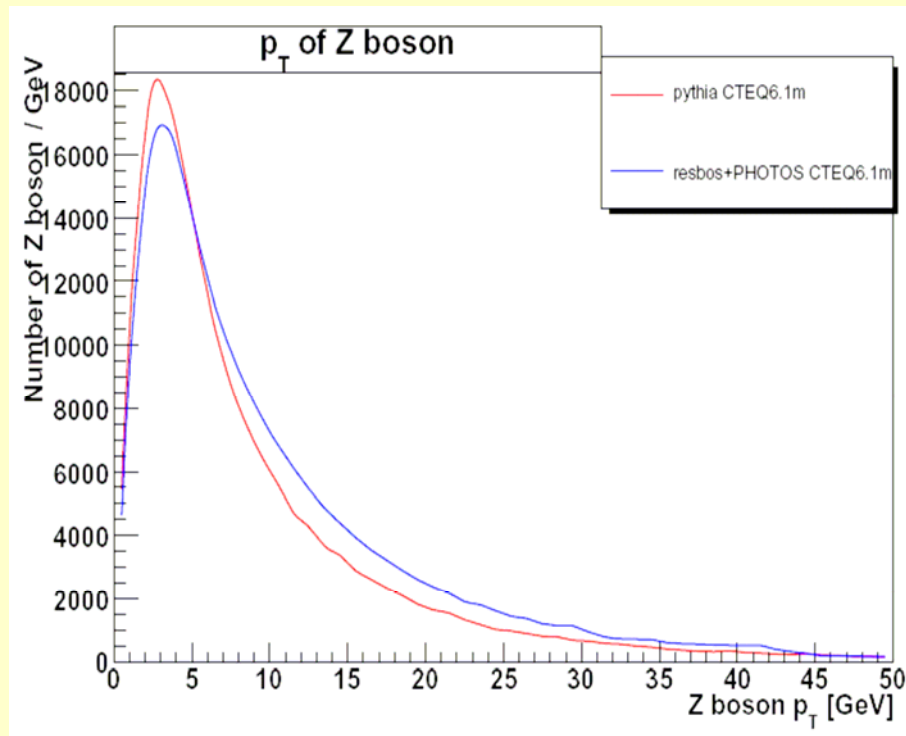




# Monte Carlo simulation



- Event generator: Resbos(Ladinsky+Yuan)+PHOTOS
- Resbos(hep-ph/9704258):initial state gluon resummation; $g_1, g_2, g_3$ ;
- PHOTOS(hep-ph/0506026):final state QED radiation.



# Detector response- Parameterized Monte Carlo Simulation



**Parameterized Monte Carlo simulation(PMCS):**

**smear electron energy,  $\eta$  and  $\phi$  position;**

**Merge nearby photons to electrons;**

**Apply single electron efficiencies and acceptance cuts.**

**Energy smearing:**

$$E' = \alpha * E_{gen} + \beta$$
$$\frac{\sigma_E}{E} = \sqrt{C^2 + \frac{S^2}{E} + \frac{N^2}{E^2}}$$
$$E_{smear} = E' + x * \sigma_E$$

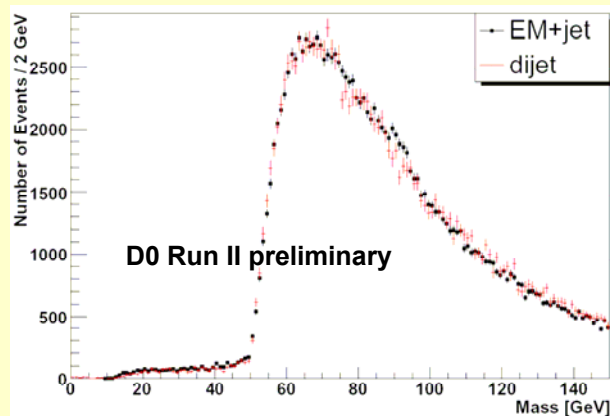
**Parameters( $\alpha,\beta,C$ ) are determined from Z data by comparing invariant mass distribution.**



# Backgrounds



- QCD backgrounds:
- Main source of backgrounds is QCD background with jets faking electrons. (Di-jet, EM+jet)
- Selection: inverse shower shape cut on the electrons.
- Non-QCD backgrounds: PYTHIA as generator, PMCS as detector smearing



	$\epsilon \cdot A$	$\sigma \cdot \text{Br}(\text{pb})$	$N(0.968\text{fb}^{-1})$
$Z \rightarrow \tau\tau \rightarrow ee$	0.0025	7	16.7
WW	0.059	0.1	6.2
WZ	0.17	0.009	15.5
$W\gamma$	0.005	12.2	61

**the non-QCD backgrounds are negligible**

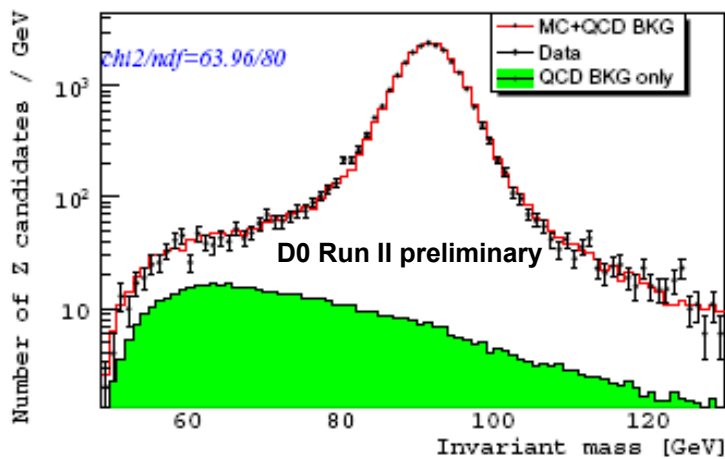


# Background fraction and $p_T$ -shape



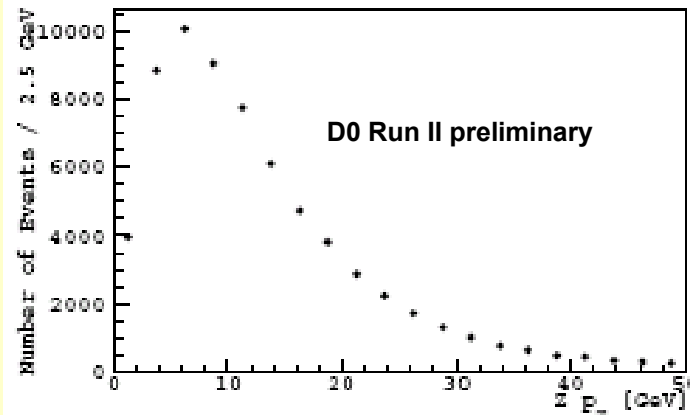
- Minimum  $\chi^2$  fit: invariant mass of the Z candidates as linear sum of those of signal(MC) and background to get the background fraction

Invariant mass - Z candidates(CCCC)



Region	$\chi^2/ndf$	background fraction
CCCC	64/80	$1.30 \pm 0.14\%$
CCEC	106/80	$8.55 \pm 0.26\%$
ECEC	80/80	$4.71 \pm 0.30\%$
All	111/80	$4.70 \pm 0.13\%$

$p_T$  distribution for QCD background(ALL)



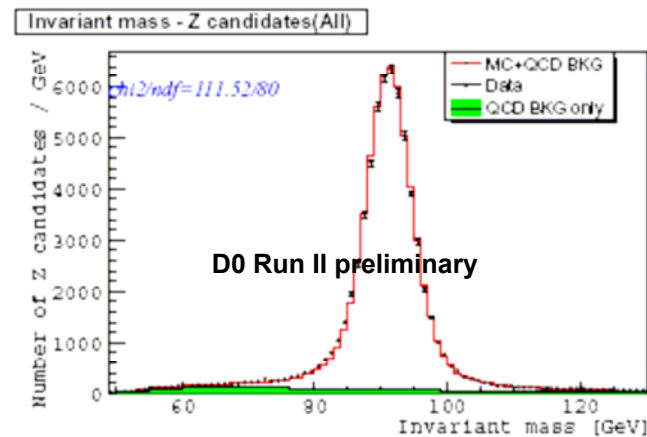
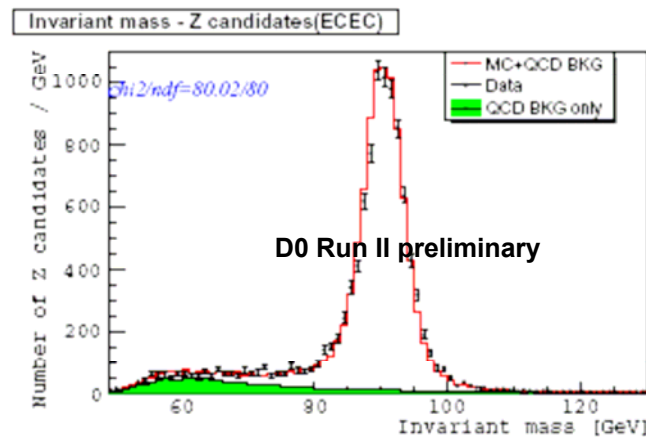
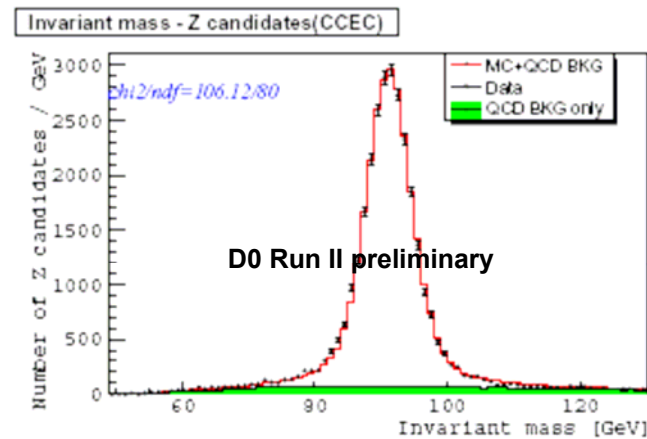
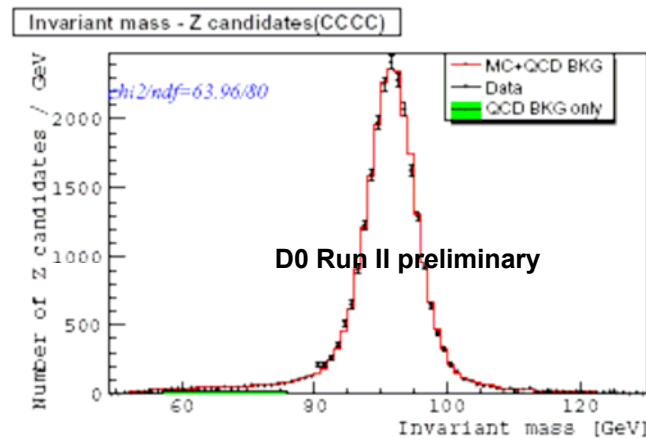
QCD background shape:



# Data/MC Comparisons



Put measured efficiency and tuned parameters in the PMCS



# Efficiency\*Acceptance Z $p_T$ dependence



Data selection affect Z  $p_T$  spectrum;

Jet activity affect the isolation of the electrons

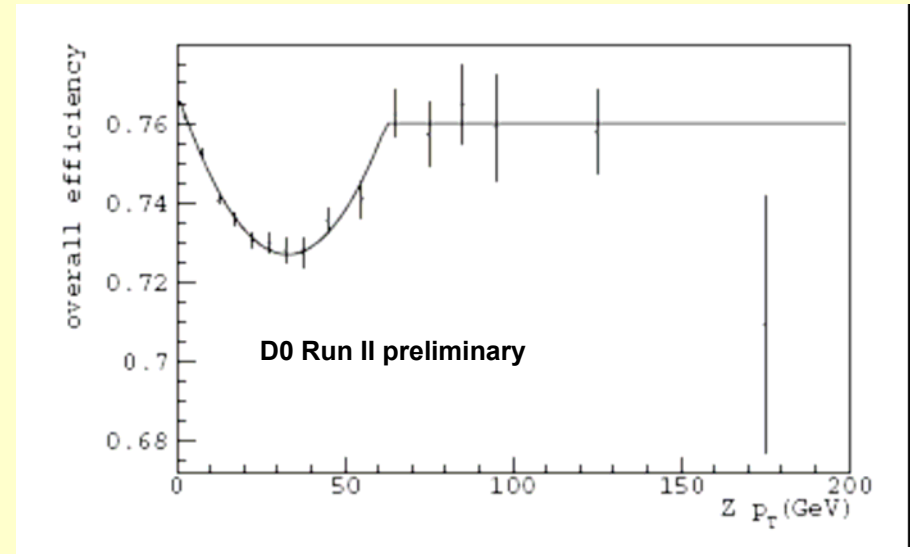
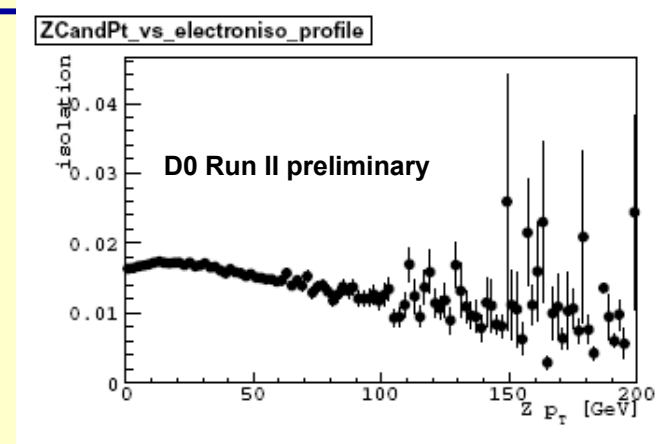
Dependence studied from Monte Carlo

Efficiency Z  $p_T$  dependence: full Monte Carlo(GEANT-based);

Signal overlaid on underlying events

*smear*ed Z  $p_T$  (accep cuts, eff cuts)

*smear*ed Z  $p_T$  (accep cuts)



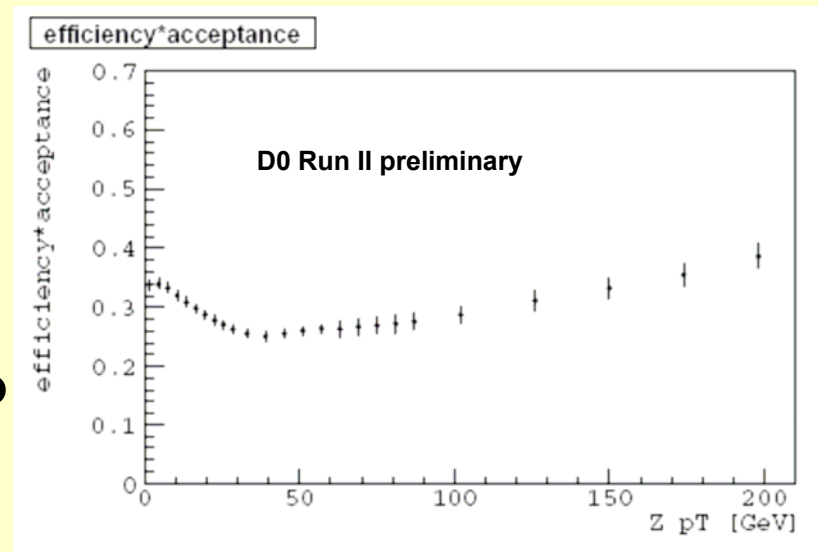
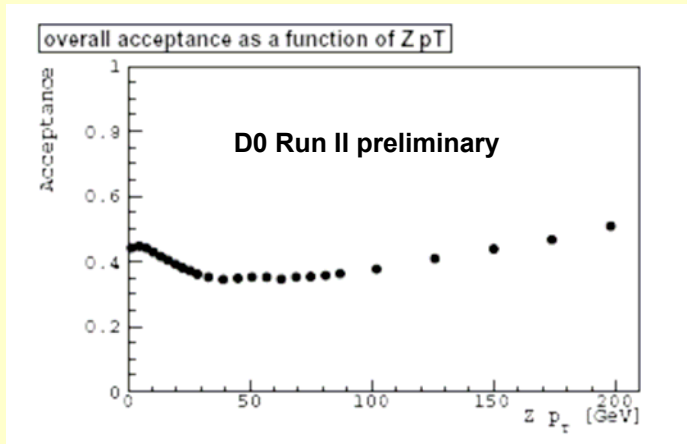
# Efficiency\*Acceptance $Z p_T$ dependence



Acceptance (electron  $p_T$ , position and invariant mass)  $Z p_T$  dependence: PMCS

*smearred  $Z p_T$  distribution with accep cut(s)*

*smearred  $Z p_T$  distribution with no cuts*



Efficiency\*Acceptance  $p_T$  dependence

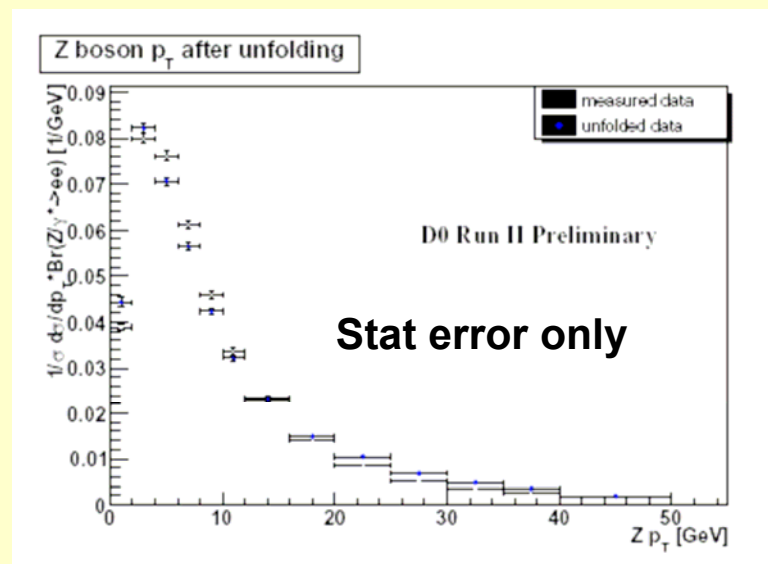
Measured  $Z p_T$  spectrum need to correct for this dependence





# Unfolding of Detector Smearing

- *RUN*(Regularized *Un*folding)(hep-ex/0208022) by V.Blobel
  - ▶ Maximum likelihood fit(data and trial result with parameters) with regularization term to smooth oscillations due to large correlations between adjacent bins.
  - ▶ Input:
    - ✓ Ntuples of Z pT data
    - ✓ Ntuples of Z pT MC: generator, smeared(contains smearing information)
    - ✓ Ntuples of pT of QCD background

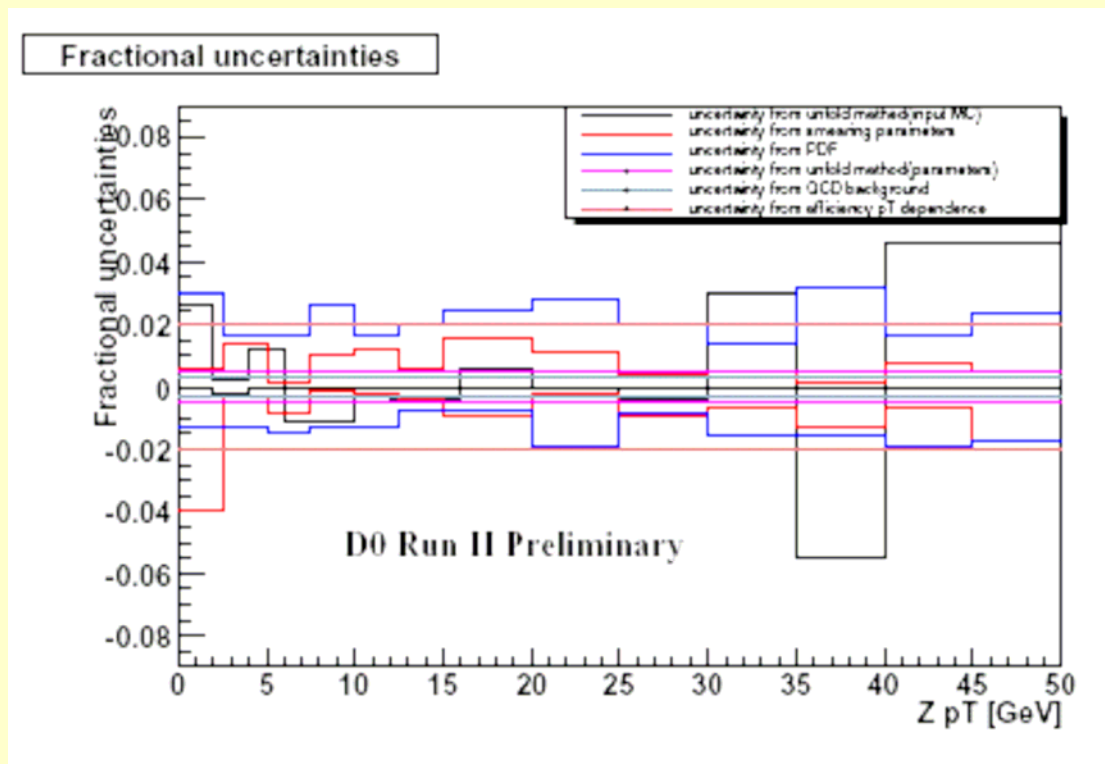






# Systematic Uncertainty

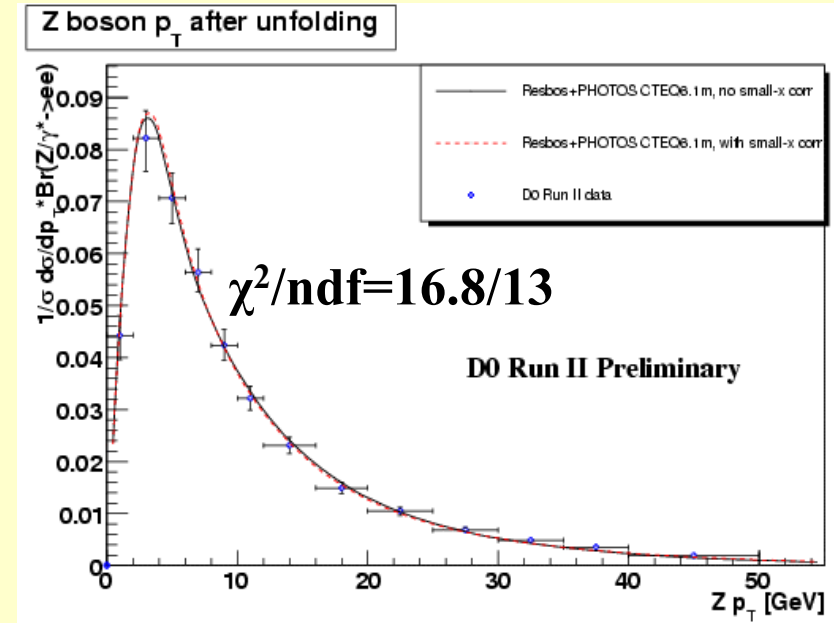
Energy resolution parameters: constant term and sampling term; Energy scale parameter; PDFs, background, unfolding method(input, parameters), data/full MC discrepancy of efficiency pT dependence



# Preliminary result, conclusions and further studies



- Preliminary result for  $0.965 \text{ fb}^{-1}$  data
- All  $y$  region result consistent with CSS resummation calculation
- Next to perform tuning of Resbos  $g_2$
- Small  $x$  broadening test in progress for  $|y| > 2$





# Backup slides



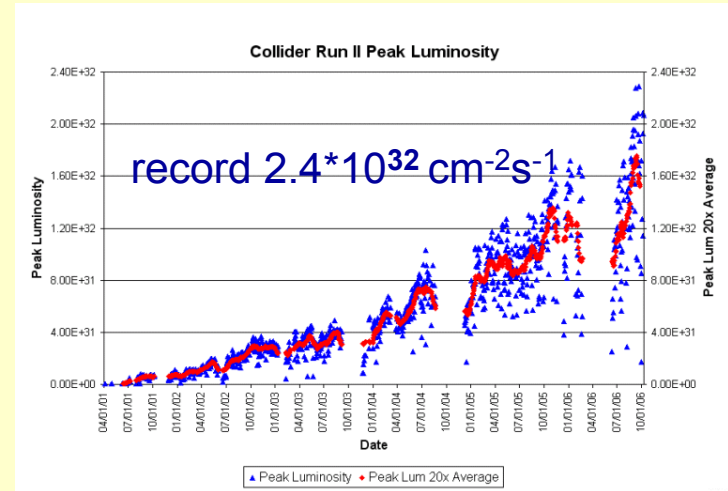
# Tevatron for Run II



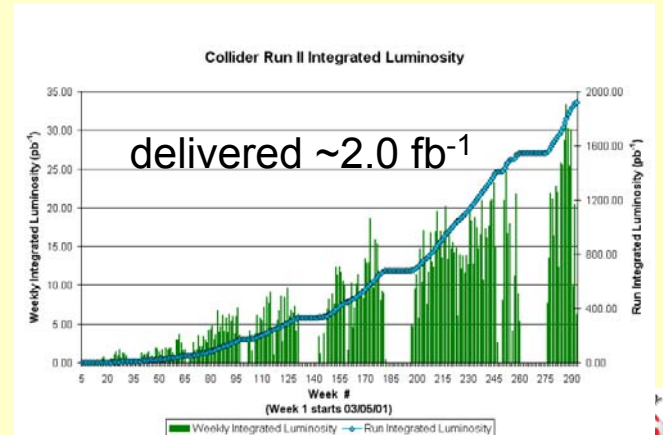
New 120 GeV Main Injector  
CM increased from 1.8 TeV to 1.96 TeV



## Collider Run II Peak Luminosity



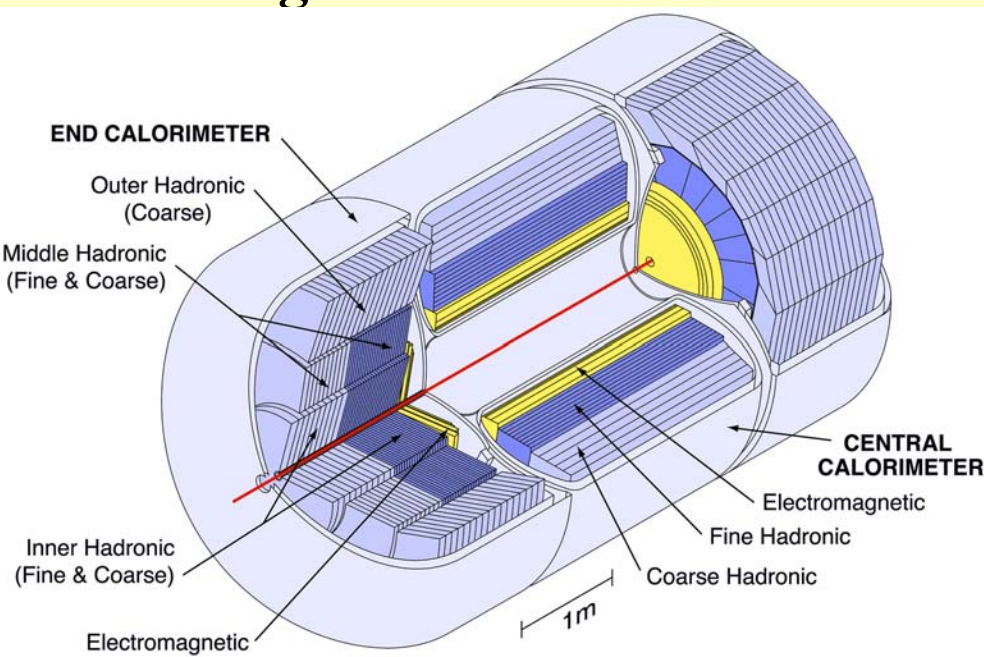
## Collider Run II Integrated Luminosity



# D0 calorimeter



- **Compensating sampling calorimeter: uranium/liquid argon**



Eta coverage:

Central:  $|\eta| < 1.1$

Endcaps:  $1.5 < |\eta| < 4.2$

$$(\sigma/E)^2 = C^2 + S^2/E + N^2/E^2$$

Interpretation:

C = constant term (due to non-uniformities in the response; "intercalibration errors")

S = sampling term (due to sampling fluctuations; "intrinsic performance of the CAL")

N = noise term (due to "noise", e.g. from Uranium, the readout electronics, and, in collision data, the "underlying event")

**D0 Run I**

**CC:**

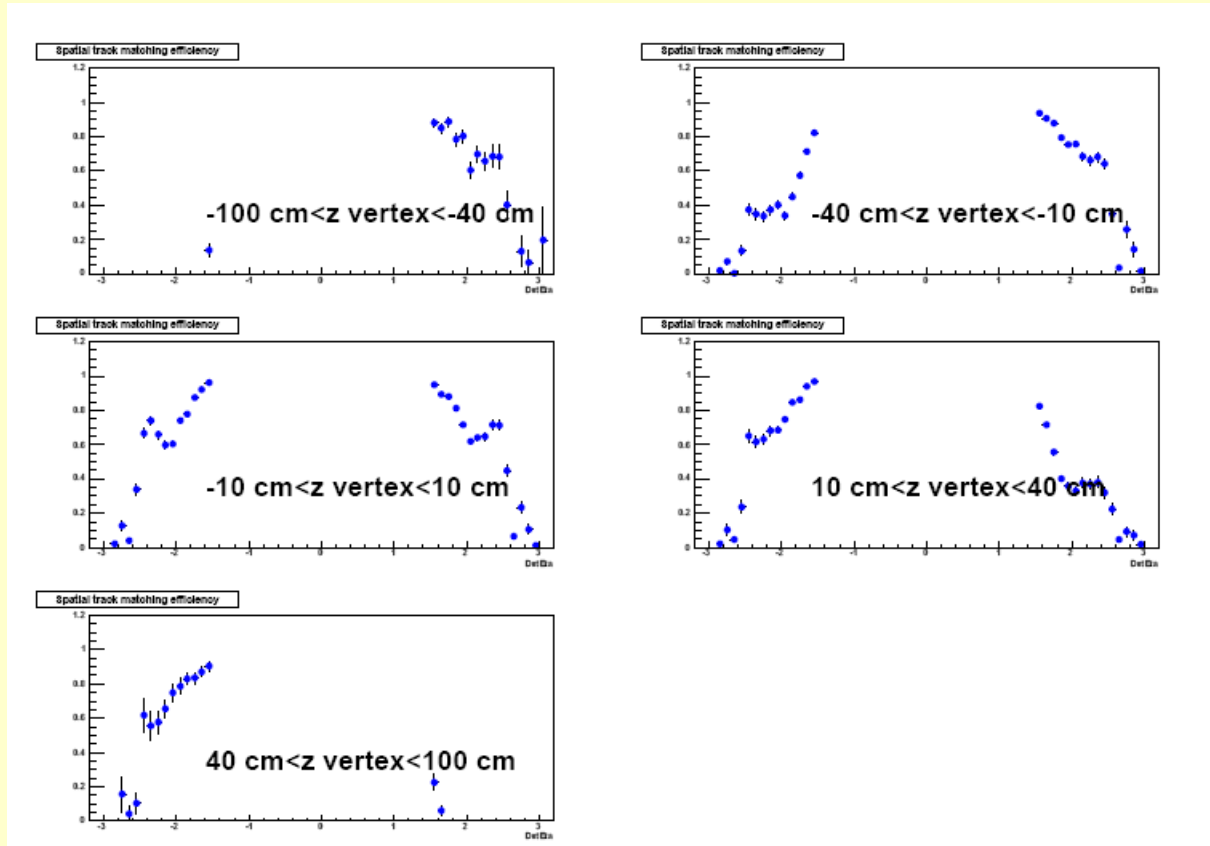
$$S = 15\% GeV^{1/2}$$

$$C = 1.0\%$$

$$N = 0.38 GeV$$



# Typical parameterization



**Tracking matching efficiency for EC electrons  
versus vertex z position**

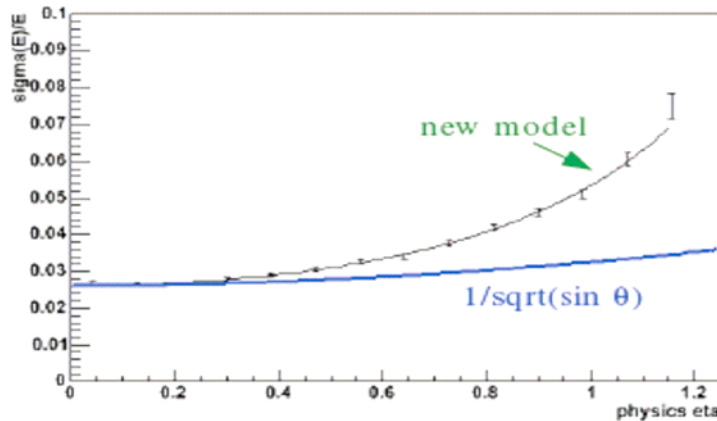
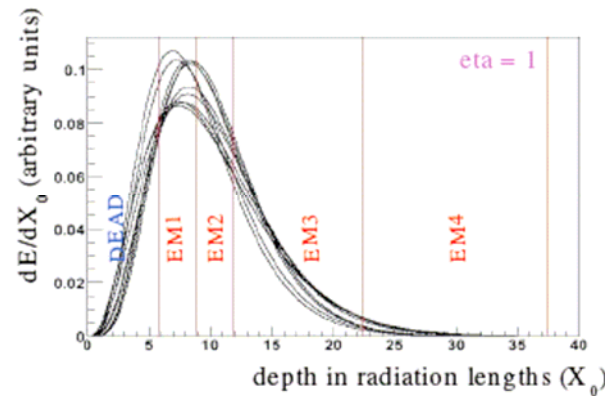
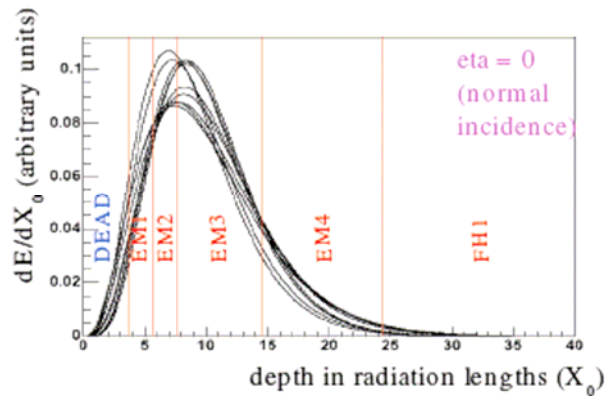


# CC Energy resolutions



Calorimeter suffers from the materials added in D0 Run II. Sampling is no longer constant, but depend on position.

Constant Term tuned from Z(2.8%)

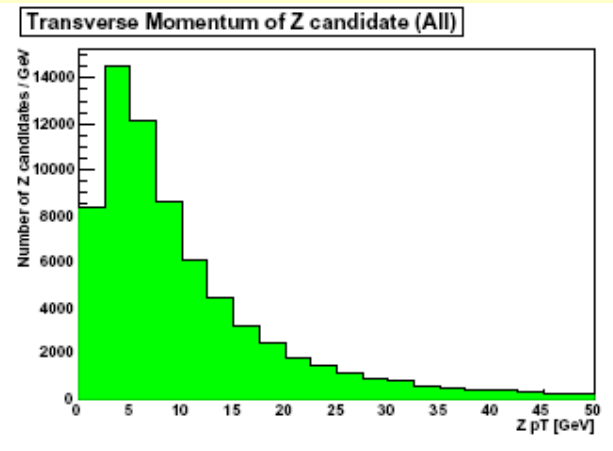


$$\sigma_{E'}/E' = \sqrt{C^2 + N^2/E'^2 + (p_0 \times \exp(\sin(\theta)))/\exp(p1))^2}$$

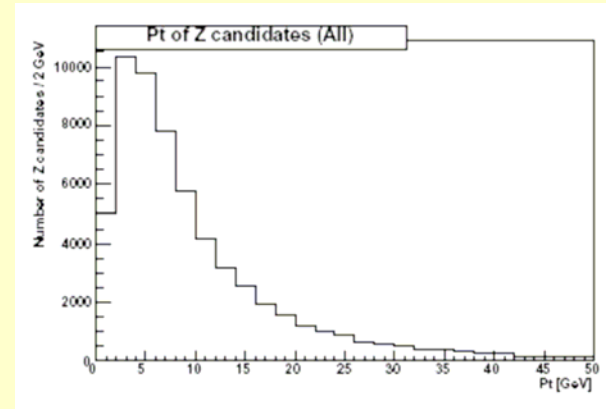
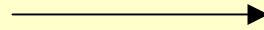




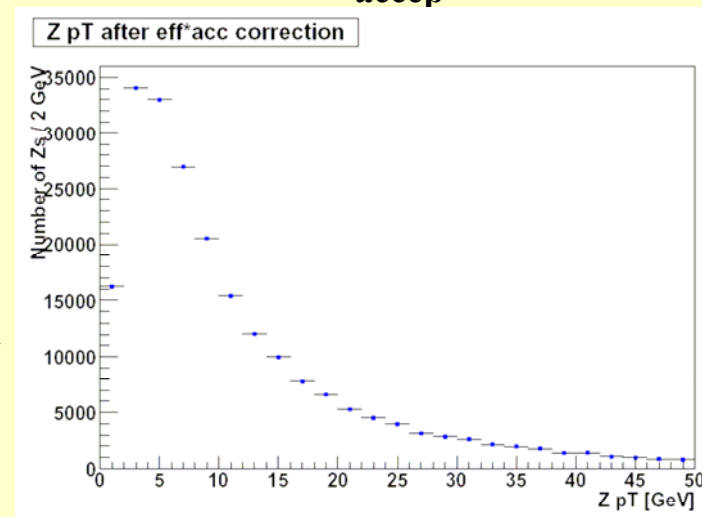
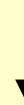
# Correct Z pT spectrum



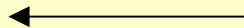
Subtract  
background



Correct for eff and  
accep



Correct for  
smearing effect



?

