

Measurement of the $W\gamma$ Charge-Sign Rapidity Difference at DØ

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DØ Experiment

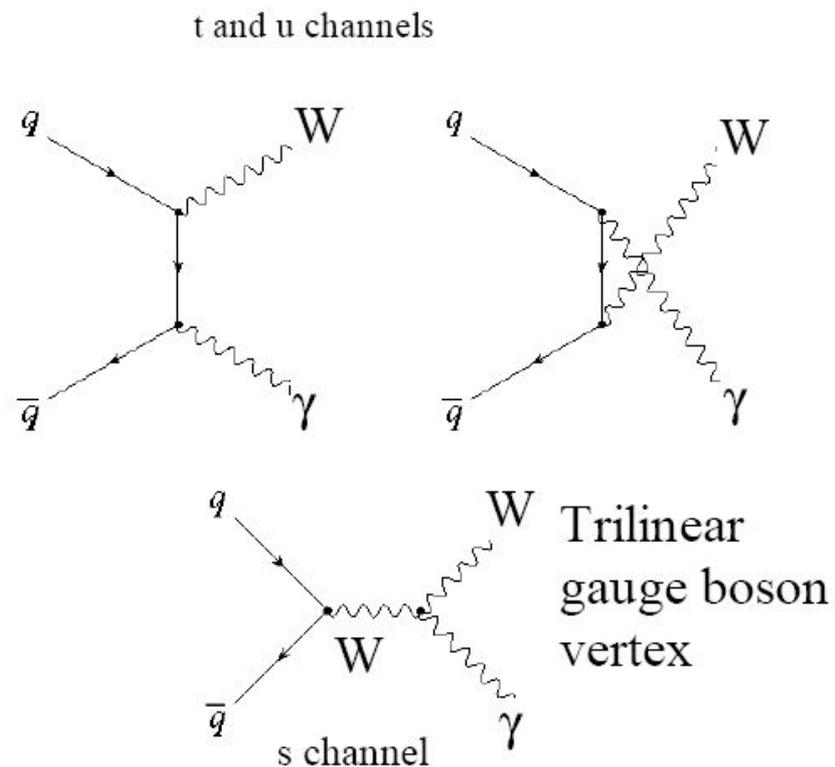
Introduction

Studying $q\bar{q} \rightarrow W\gamma$ production

- Measurement is important
- Couplings at interaction vertices are fixed in Standard Model gauge theory
- Variation in $W\gamma$ production is sign of new physics
- $W\gamma$ production provides a means to measure anomalous moments of the W boson
- Analyzing the $W\gamma \rightarrow e\nu\gamma$ and $W\gamma \rightarrow \mu\nu\gamma$ final states

Cleanest signal

Hadronic channel dominated by QCD



Anomalous Couplings

Potential electromagnetic moments compatible with Lorentz and EM gauge invariance and CP conservation can be parameterized in an effective Lagrangian:

$$L_{WW\gamma} = -ie \left[\underbrace{(W_{\mu\nu}^\dagger W^\mu A^\nu - W_\mu^\dagger A_\nu W^{\mu\nu})}_{\text{Minimal coupling of } \gamma \text{ and } W} + \underbrace{\kappa_\gamma W_\mu^\dagger W_\nu F^{\mu\nu} + \frac{\lambda_\gamma}{M_W^2} W_{\lambda\mu}^\dagger W_\nu^\mu F^{\nu\lambda}}_{\kappa \text{ and } \lambda \text{ relate to magnetic dipole and electric quadrupole moments}} \right]$$

Minimal coupling of γ and W
Fixed by W charge

κ and λ relate to magnetic dipole and electric quadrupole moments

Magnetic dipole moment

$$\mu_W = \frac{e}{2M_W} (1 + \kappa_\gamma + \lambda_\gamma)$$

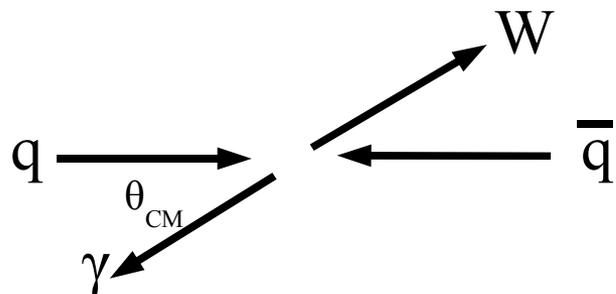
Electric quadrupole moment

$$Q_W = \frac{-e}{M_W^2} (\kappa_\gamma - \lambda_\gamma)$$

In the Standard Model: $\kappa_\gamma = 1$ and $\lambda_\gamma = 0$

Radiation Amplitude Zero

Standard Model couplings at leading order produce an amplitude zero in the center-of-mass production angle



$u\bar{d} \rightarrow W^+\gamma$ has zero at $\cos \theta_{\text{CM}} = -1/3$
 $d\bar{u} \rightarrow W^-\gamma$ has zero at $\cos \theta_{\text{CM}} = +1/3$

Angle dependent
only on charges

Ambiguity in θ_{CM} (neutrino P_z)

Correlations lead to dip in $\gamma\ell$ charge-sign rapidity difference

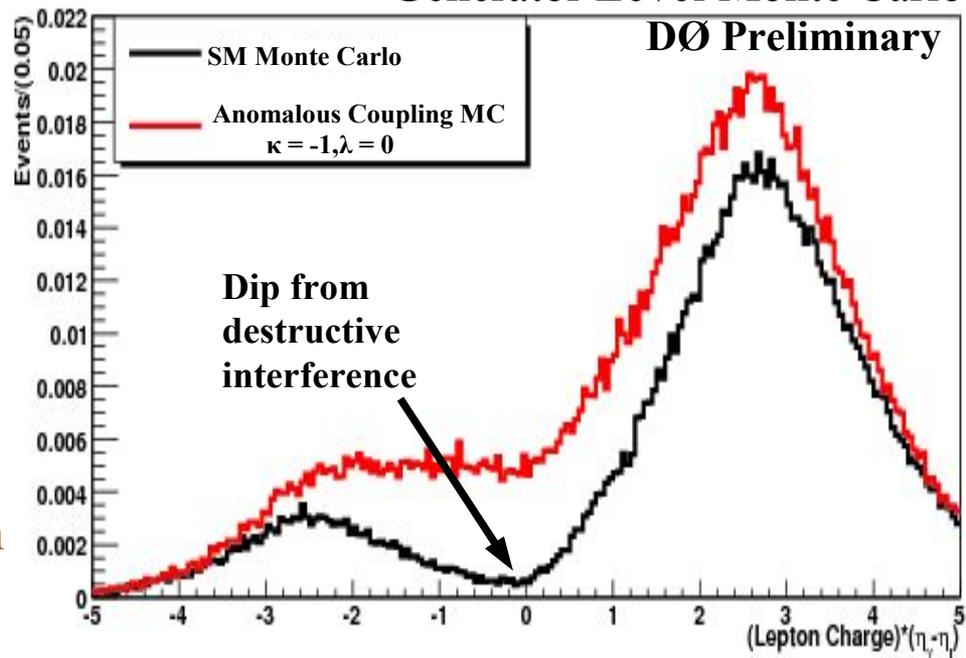
Important Measurement

➤ Probes $WW\gamma$ vertex

Anomalous moments spoil cancellation

➤ Never been observed

Generator Level Monte Carlo



Reconstruction Efficiencies

Object efficiencies measured with data from resonances

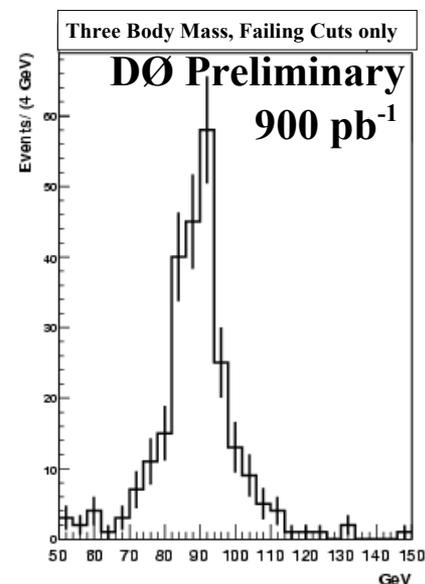
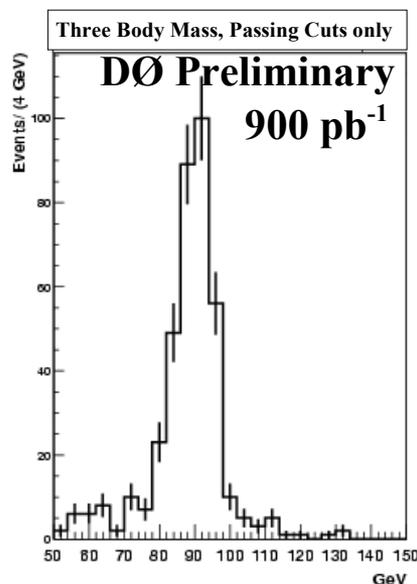
- Clean samples

Lepton efficiencies obtained from $Z \rightarrow \ell \ell$ events

- Tag-and-Probe method
- Tag lepton satisfies event selection requirements (trigger, etc.)
- Probe lepton unbiased sample for efficiency estimate

Photon efficiencies

- Use $Z \rightarrow \ell \ell \rightarrow \ell \ell \gamma$ events
(three body mass = Z mass)
- Leptons satisfy event selection requirements (trigger, etc.)
- Photon sample is clean
- $D\bar{O}$ lacked the integrated luminosity to do this before



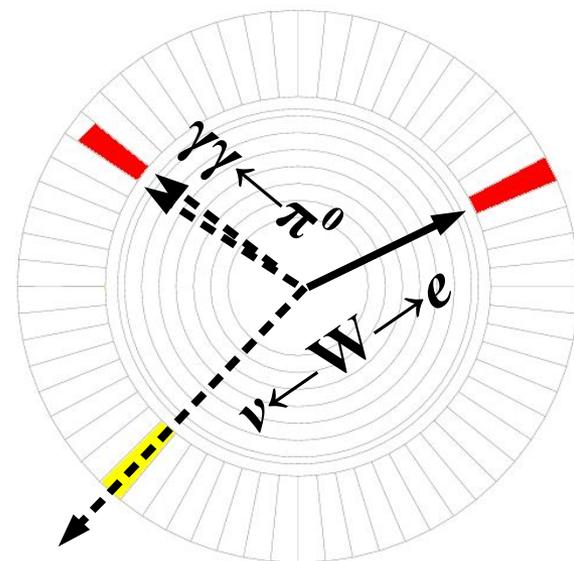
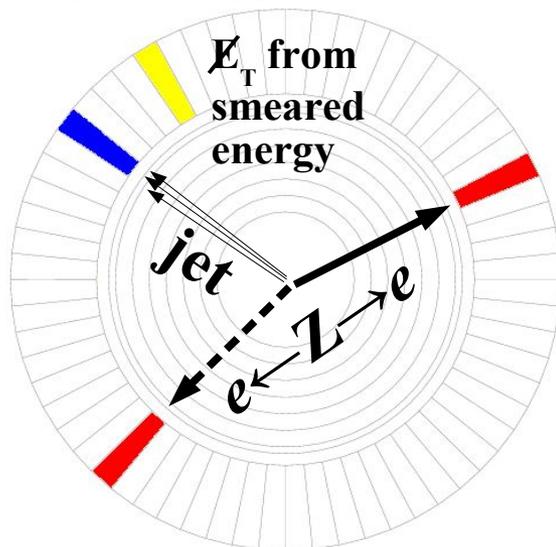
Backgrounds

W+j

Jet fragments to significant electromagnetic component (*i.e.* π^0, η , etc.) to produce a photon signature

Dominant background in both channels, on order of signal events

Estimated with data



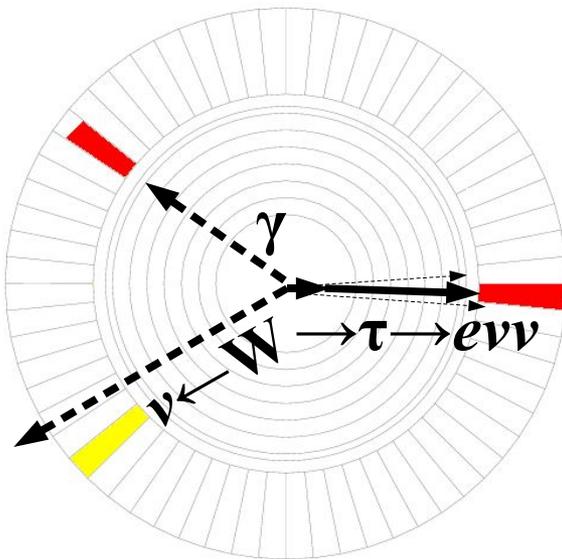
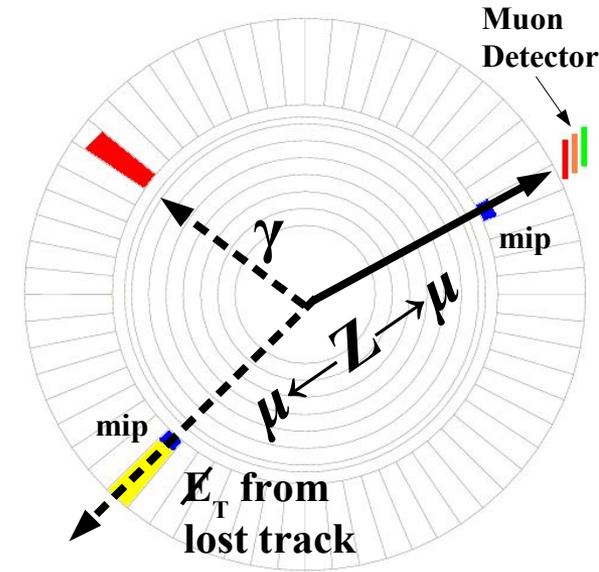
leX

lepton + electron + missing E_T events where electron fakes photon because of lost track
 Significant background in electron channel
i.e. $Z \rightarrow ee$

Estimated with data

Backgrounds

- Z γ**
- Mis-measured missing E_T produces W signature
- Caused by mis-measured or unreconstructed lepton
- More significant for muon channel
(lost muon \rightarrow missing E_T)
- Estimated with MC



$$W\gamma \rightarrow \tau\nu\gamma$$

$\tau + \gamma + \text{missing energy} \rightarrow \ell + \gamma + \text{missing energy}$

Estimate with MC

Preliminary Results

Electron Channel (933 pb^{-1})

Candidates:	389
Wj:	148 ± 17
leX :	34 ± 4
τ :	1.7 ± 0.2
$Z\gamma$:	--

Expected Signal: 211 ± 14

Measured Signal: 205 ± 26

$\sigma(p\bar{p} \rightarrow e\nu\gamma + X)$:

$$3.12 \pm 0.49_{\text{stat.+sys.}} \pm 0.19_{\text{lumi.}} \text{ pb}$$

Muon Channel (878 pb^{-1})

Candidates:	245
Wj:	98 ± 12
leX :	6 ± 2
τ :	2.6 ± 0.4
$Z\gamma$:	8 ± 1

Expected Signal: 130 ± 9

Measured Signal: 130 ± 18

$\sigma(p\bar{p} \rightarrow \mu\nu\gamma + X)$:

$$3.21 \pm 0.49_{\text{stat.+sys.}} \pm 0.20_{\text{lumi.}} \text{ pb}$$

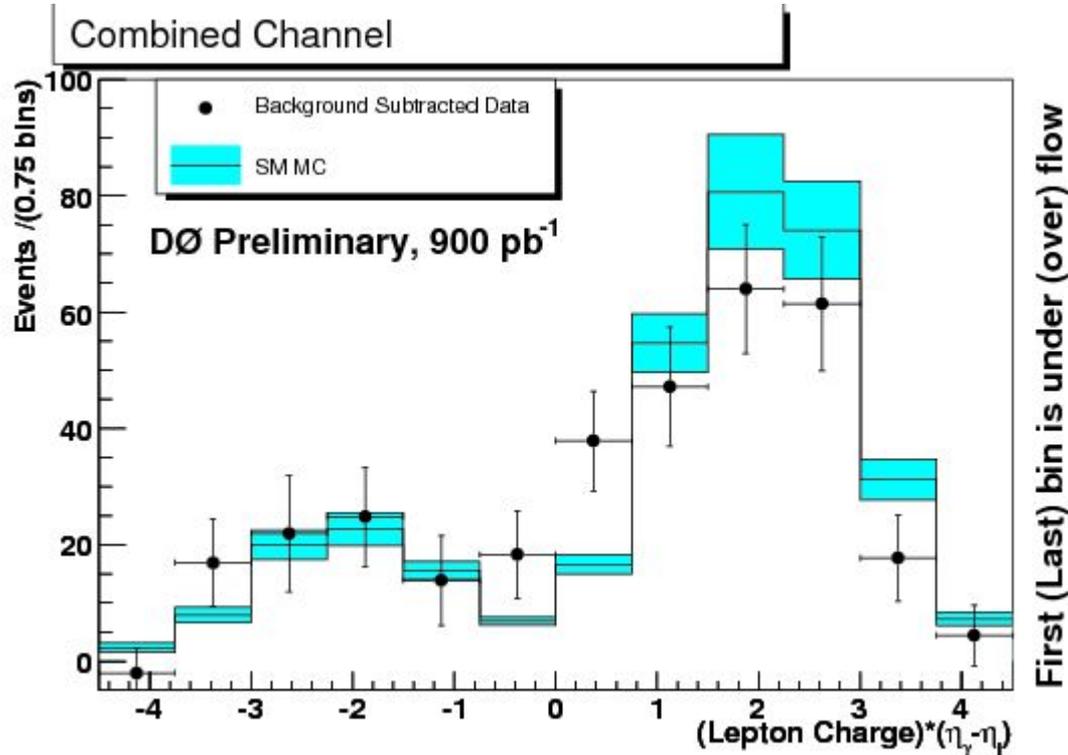
SM $\sigma(p\bar{p} \rightarrow \ell\nu\gamma + X) = 3.21 \pm 0.08_{\text{PDF}} \text{ pb}$

w.r.t. $E_T(\gamma) > 7 \text{ GeV}$, $\Delta R_{\ell\gamma} > 0.7$, $M_T(W, \gamma) > 90 \text{ GeV}$

Study Prompt $W\gamma$
not $W \rightarrow \ell\ell \rightarrow \ell\ell\gamma$

Rapidity Distribution

The rapidity distribution is consistent with the Standard Model
 χ^2 of 16 for 12 dof (DØ Preliminary)



Shape is indicative of destructive interference from amplitude zero

The next slides address how to quantify this ...

Examining the Distribution

2 methods are presented to examine the rapidity distribution

➤ 1st method: Shape Test

Compare the data shape to an alternative hypothesis

χ^2 test of the normalized distributions

Alternative hypothesis is anomalous $WW\gamma$ coupling ($\kappa=-1, \lambda=0$)

Physically motivated -- turns off W magnetic dipole moment

Theoretic distribution expected to be unimodal (dipless)

➤ 2nd method: Dip Test

Measure statistical significance of observed dip.

Compare number of candidates in expected dip region to number in peak

Answers question:

Could this be a statistical fluctuation, or are we observing a real process that leads to a depletion of events in the distribution such as the radiation zero?

Shape Test

Fit shape of an anomalous coupling ($\kappa=-1, \lambda=0$) MC distribution to the data

Normalization allowed to float

Preliminary Result:

Unimodal hypothesis is consistent with data with a χ^2 of 9 for 11 d.o.f.

Result dependent on binning

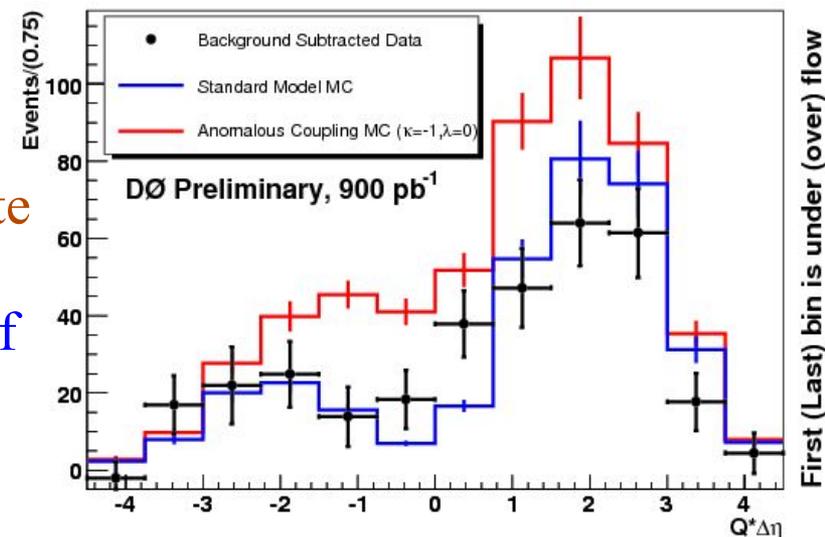
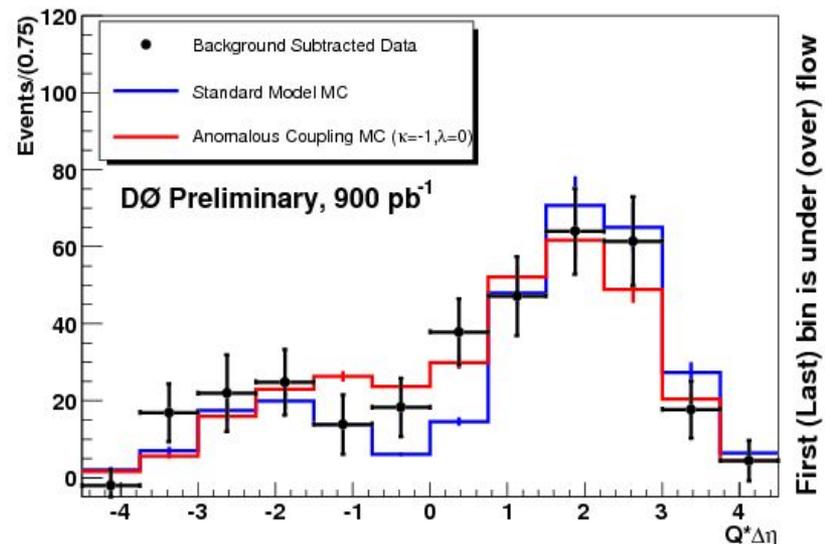
Takes weight away from region of interest

Normalization set by cross section

Note anomalous couplings enhance the $W\gamma$ cross section

With cross section normalization the alternate hypothesis has a χ^2 of 55 for 12 d.o.f.

Consider test that is independent of choice of couplings



Dip Test

Purpose:

Measure the probability that the observed depletion of events in the expected region is a statistical fluctuation

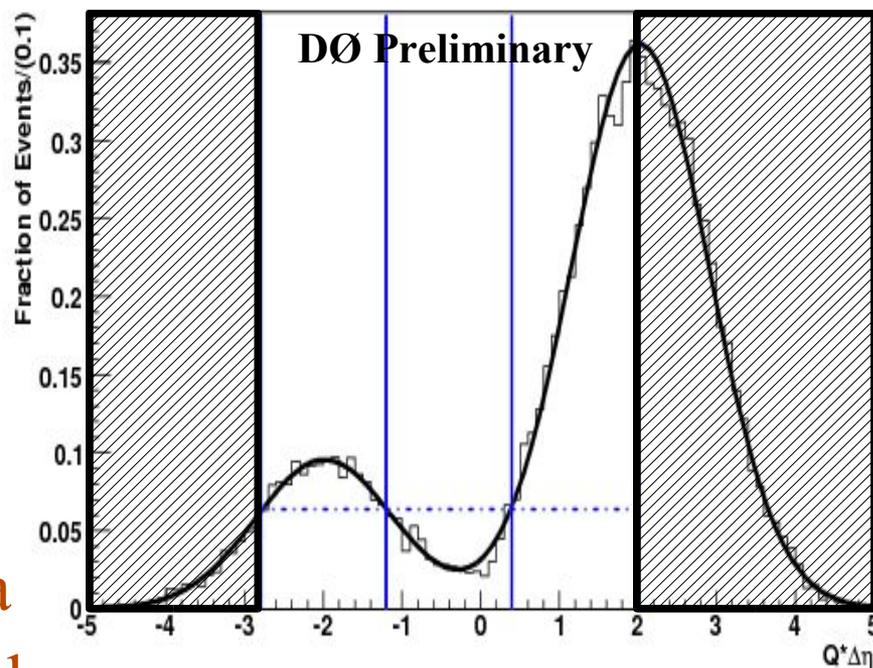
Method:

Use 3 bins

- 1st bin samples the small peak
- 2nd bin samples the dip
- 3rd bin samples the big peak

Measure $R_1 = \frac{N_{Dip}}{N_{Peak1}}$, and $R_2 = \frac{N_{Dip}}{N_{Peak2}}$

By definition if $R_1, R_2 < 1$ there is a depletion of events in the Standard Model expected region



Use SM MC to find expected positions of peaks and dip

Dip Test

R_1 and R_2 are the relevant test statistics

Probability there is no dip = Probability for $R_1 \geq 1$ or $R_2 \geq 1$

Data Candidates:

$$R_1 = 0.841 \pm 0.117 \quad (\text{D}\emptyset \text{ Preliminary})$$

$$R_2 = 0.508 \pm 0.064 \quad (\text{D}\emptyset \text{ Preliminary})$$

Preliminary Result:

Assuming Gaussian errors on R_1 and R_2 , the dipless hypothesis is ruled out at 90% C.L.

Cross Check:

Also used a standardized method of dip hunting¹ that is model independent and obtained consistent results.

¹J.A. Haritgan and P.M. Hartigan
“The Dip Test of Unimodality”,
Annals of Statistics **13**, 70-84 (1985)

Conclusion

The $W\gamma$ final state has been observed with high statistics in two W decay modes

The production rate is consistent with SM expectations

The charge-sign rapidity distribution is consistent with the SM

The shape that is indicative of the radiation amplitude zero with the unimodal hypothesis being ruled out to 90% C.L.

As our integrated luminosity increases, we will be able to make even stronger statements.

Looking immediately ahead, we intend to investigate combining measurements of the charge-sign rapidity distribution with the photon E_T spectrum to set limits on anomalous $WW\gamma$ couplings