

Now I start the second part.

In this second part of my presentation, as an example of practicing the grammatical physics, I propose the new coordinate system which is fundamentally a little different from the coordinate system of the quantum mechanics for a massive point particle system mentioned in the 1st part.

This is equivalent to changing a quantization prescription fundamentally from existing quantization prescription, but the theory constructed on the new coordinate system also should be called a quantum theory in a general sense because the change is a little.

The main purpose of the proposal of this coordinate system is to explain the methodology of the grammatical physics and I am not the person who claims that this new coordinate system definitely fits real situations completely,

but I believe that this new coordinate system is an interesting coordinate system which has a physical implication greatly and that the success of the theory constructed on it is very possible.

Well, the coordinate system is  $M_{\text{new}}$  which is described below.

$M_{\text{new}}$  is the mapping which maps each functional  $\Phi$  from  $\{\chi : \mathbb{R} \rightarrow \mathbb{R}^3\}$  to  $\mathbb{C}$  to a quantum history  $M_{\text{new}}(\Phi)$  and therefore it is a coordinate system in Uda's broad meaning, where  $M_{\text{new}}$  must have the following relationship with  $M_q$ .  
"If  $\Psi(x,y,z,t) = \exp \phi(x,y,z,t)$  and  $\Phi[\chi] = \exp[\alpha \int dt \phi(\chi(t),t)]$ , then  $M_{\text{new}}(\Phi) = M_q(\Psi)$ . Therefore the range of  $M_{\text{new}}$  includes the range of  $M_q$  as a subset."

The physical implication of  $M_{\text{new}}$  is the entanglement of a quantum history. The entanglement is a well-known concept for a quantum state. For example, as for a physical system with  $n$  degrees of freedom, a quantum state of it is generally represented by a mapping (the wave function) from  $\hat{\mathbb{R}}^n$  to  $\mathbb{C}$ .

Especially when this wave function  $\Psi$  can be factorized to the following form, the quantum state is called a disentangled quantum state.

$$\Psi(x_1, \dots, x_n) = \prod_{i=1}^n \phi_i(x_i)$$

Because a wave function can not be factorized to this form generally, a general quantum state is entangled.

When we replace the name  $i$  of a degree of freedom with the name  $t$  of a time in the above discussion about the quantum state,

$\hat{\mathbb{R}}^n$  is replaced with  $\{\chi : \mathbb{R} \rightarrow \mathbb{R}\} \sim \hat{\mathbb{R}}^\infty$ ,

$\Psi$  is replaced with  $\Phi$ ,

$(x_1, \dots, x_n)$  is replaced with  $\chi$ ,

$\phi_i$  is replaced with  $\phi(\square, t)$

and  $x_i$  is replaced with  $\chi(t)$ .

Therefore, as for the system with one degree of freedom, the quantum history in the meaning of the existing quantum mechanics is the special disentangled quantum history

in the meaning of the new grammar,

and the new grammar implies that a general quantum history is entangled one.

But, I replaced the infinite product with 'exp[ $\alpha \int dt$ ']

because I felt that the infinite product didn't seem real,

and  $\alpha$  is the new physical constant which has a very large value.

So much for the second part of my presentation.