



# Challenging $\Lambda$ CDM: Massive neutrinos, extra neutrinos, and other surprises in cosmology

UH HEP Seminar

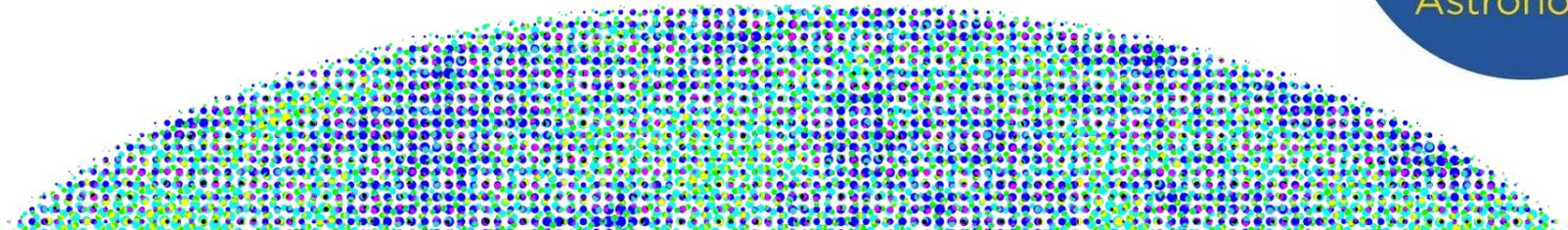
Presentation based on manuscripts: [[2412.05451](#), [2208.14435](#) & [2309.11492](#) ]

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12/10/2024



# Cosmological observations and Neutrino physics

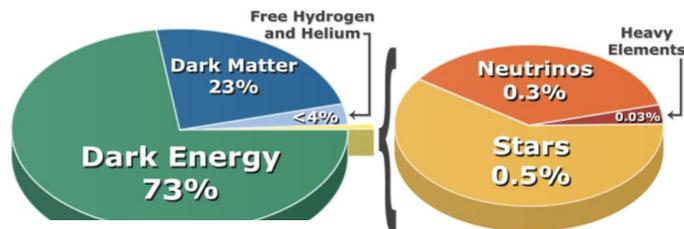
- Impact of neutrinos in cosmological observables.
- Power of cosmology testing the  $\Lambda$ CDM and **Neutrino physics**:  $\Sigma m_\nu$  and  $N_{\text{eff}}$
- Results:
  - 1.- Sum of the neutrino masses
  - 2.- Effective number of light relativistic particles
  - 3.- Cosmological Tensions and beyond Standard Model Scenarios



# $\Lambda$ CDM: detailed description of our Universe

Mathematical model based on three major features:

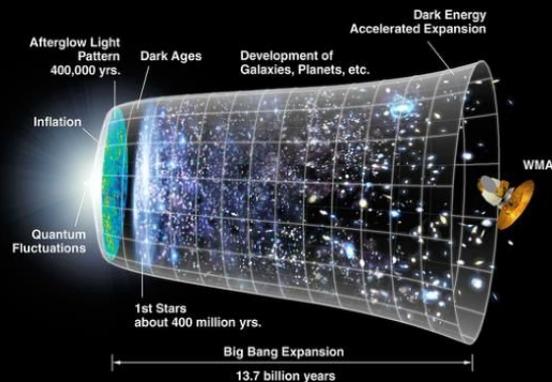
1. **Inflation:** early accelerated expansion.
2. **Dark matter:** clustering component.
3. **Dark Energy:** (Cosmological cte.  $\Lambda$ ).



Universe's energy budget

Image credit: The Conversation

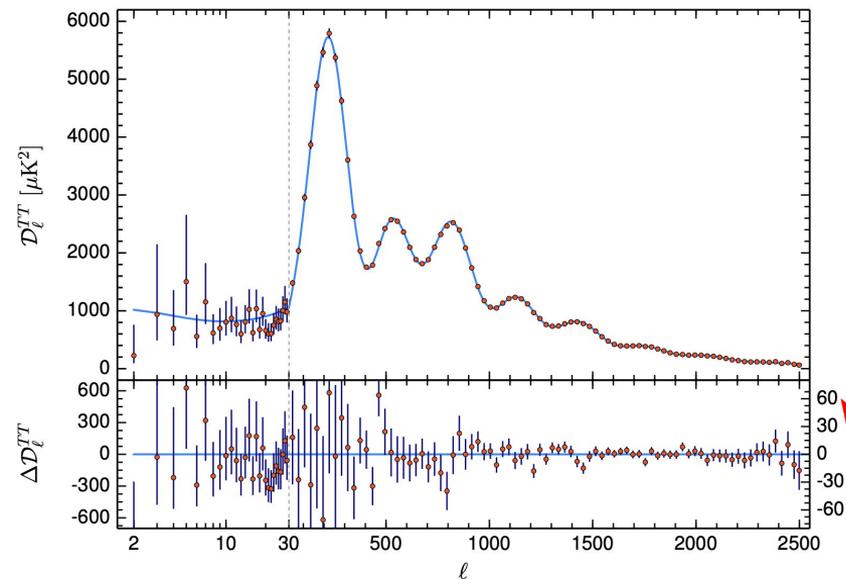
## The Standard Cosmological Model



- Universe started with Big Bang
- Einstein gravity
- CDM, baryons, photons (++)
- Cosmological Constant
- Inflation
- adiabatic, near-gaussian fluctuations

Image Credit: NASA / LAMBDA Archive / WMAP Science Team

# $\Lambda$ CDM: detailed description of our Universe



Planck 2018 Temperature power spectrum  
Image credits:2109.01760

$\Lambda$ CDM consistent with enormous diverse, high-quality observational data (LSS, anisotropy of the CMB, light-element abundances ...)

$\Lambda$ CDM characterized **just 6 parameters:**

1. Baryon density:  $\omega_B \equiv \Omega_B h^2$
2. Matter density:  $\omega_M \equiv \Omega_M h^2$
3. Spectral index density perturbations:  $n_S$
4. Amplitude of density perturbations:  $A_S$
5. Optical depth to the CMB due to re-ionization:  $\tau$
6. Sound horizon at recombination:  $\theta_{MC}$

Impressive precision! excellent fit to the CMB anisotropy data

by  
L.

# $\Lambda$ CDM: detailed description of our Universe

Testable consequences  
driven observational cosmology  
since the 1980s...

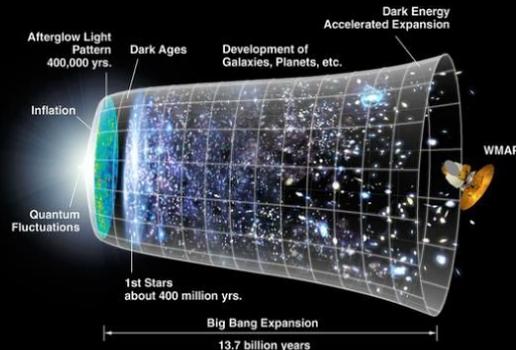
## Cosmic Neutrino Background ( $C\nu B$ )

-Indirect evidence support its presence

-BBN, CMB, LSS inconsistent without  
relativistic neutrino component.

-Cosmology attuned to neutrino  
properties: mass and density

## The Standard Cosmological Model



- Universe started with Big Bang
- Einstein gravity
- CDM, baryons, photons (++)
- Cosmological Constant
- Inflation
- adiabatic,

$$\Omega_\nu h^2 = \frac{\sum m_\nu n_\nu}{\rho_{\text{crit}}} \simeq \frac{\sum m_\nu}{93.13 h^2}$$

# Cosmological implications of $\Sigma m_\nu$

1.  $\nu_s$  always relevant to Universe's energy density

→ contribute to  $H(z)$ .  $H \propto \sqrt{\rho}$ .

2.  $\nu_s$  travel ultra relativistically speeds (until temp. drops below  $m_\nu$  their masses) →

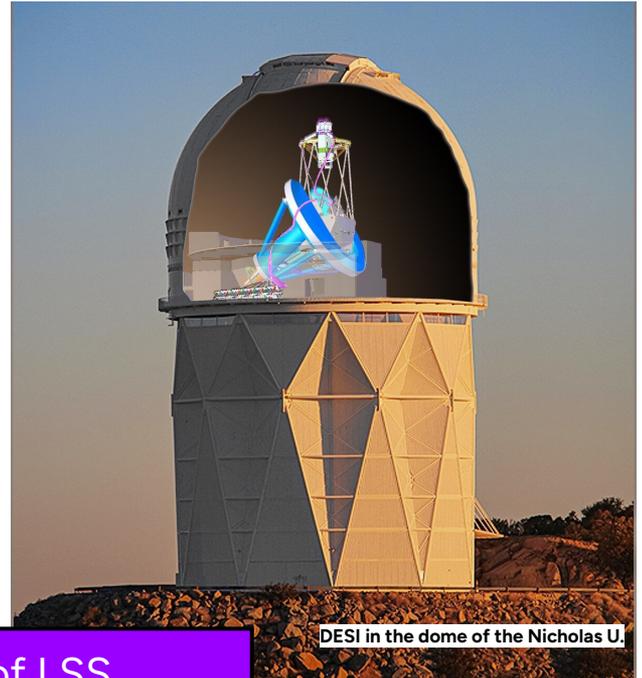
→  $\nu_s$  do NOT cluster at small scales

→ **suppress amount of structure small scales.**

The suppression is energy density dependent.

$$\Omega_\nu h^2 = \frac{\sum m_\nu n_\nu}{\rho_{\text{crit}}} \simeq \frac{\sum m_\nu}{93.13 h^2}$$

Observations of LSS (DESI, Euclid,...) excellent to search for  $\Sigma m_\nu$



DESI in the dome of the Nicholas U.

Mayall 4-meter Telescope at the

Kitt Peak National Observatory.

Image credit: Wikipedia

# Cosmological imprints of $\nu_s$ : $\Sigma m_\nu$

## How is Planck CMB sensitive to $\Sigma m_\nu$ ?

1. CMB LENSING EFFECT (dependent  $A_s$  &  $\Omega_m$ )  
 $\nu_s$  at relativistic speeds  $\rightarrow$   
 suppression matter power spectrum  $\rightarrow$   
reduction lensing CMB  $\gamma$  from the last scattering surface until today  $\rightarrow$   
 sharper peaks CMB power spectrum.
2.  $\Sigma m_\nu$  impacts angular diameter distance to last-scattering surface +  $\nu_s$  contribute

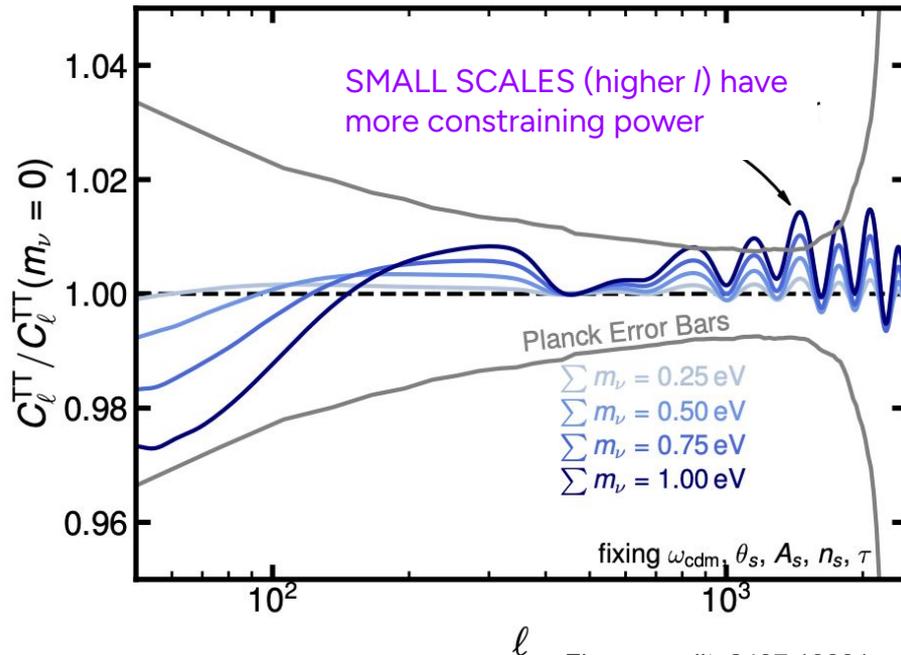
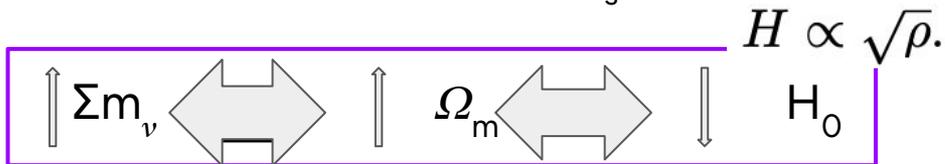


Figure credit: 2407.13831

Late-time expansion history probes (SNe and BAO) to break geometrical degeneracy

# Summary: Cosmological imprints of $\Sigma m_\nu$

Key points to make inferences on  $\Sigma m_\nu$  from cosmological observations:

1. Understanding CMB lensing on small angular scales,
2. Control over the amplitude of primordial matter power spectrum  $A_s$  and  $\omega_m$ .
3. Accurate probe of expansion history at late-times (include late-time probes to constrain  $\Omega_m$ ).

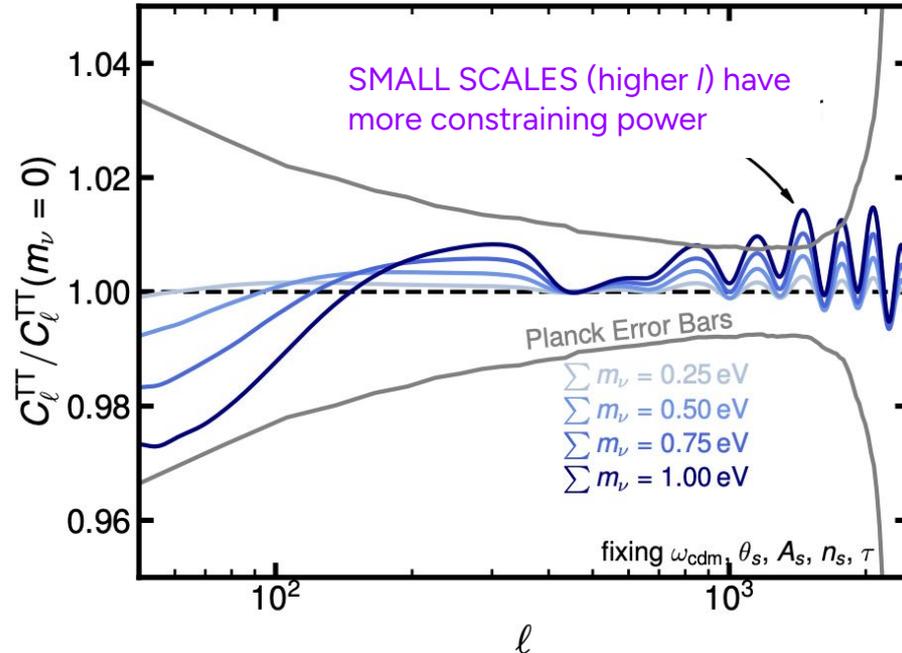


Figure credit: 2407.13831

# What is the value of the neutrino mass?



The Karlsruhe TRitium Neutrino (KATRIN) experiment cost < €60 million

IMAGE CREDIT: <https://phys.org/news/2018-06-katrin-neutrino-mass.html>

- The absolute neutrino mass scale probed using  $\beta$ -decay:  
KATRIN best bound upper limit on effective neutrino mass
- Cosmology can constrain neutrino mass > **20 times better** today already!\*

$$\Sigma m_\nu < 1.5 \text{ eV [95% CL]} \quad [\text{arXiv:2406.13516}]$$

$$\Lambda\text{CDM} + \Sigma m_\nu$$

[[arxiv](https://arxiv.org/abs/2404.03002) 2404.03002]

$$\text{DESI} + \text{CMB}$$

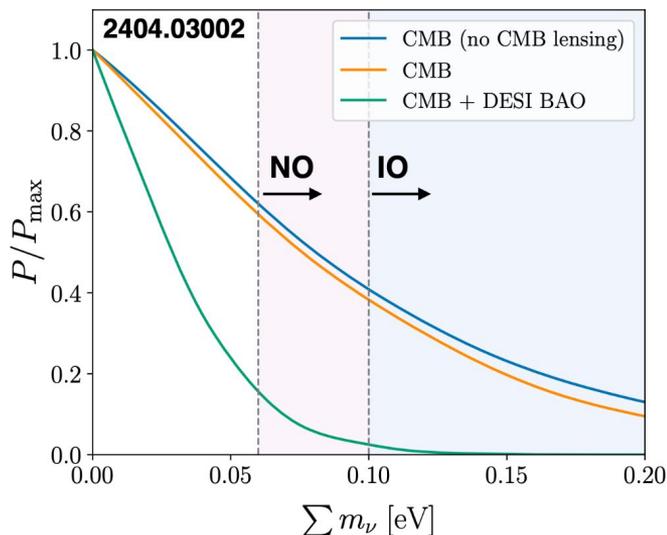
$$\Sigma m_\nu < 0.072 \text{ eV [95% CL]}$$

\*model dependent

# What is the value of the neutrino mass?

April 2024 DESI DR1 cosmological results with key implications for  $\Sigma m_\nu$

$$\Sigma m_\nu < 0.073 \text{ eV (95 \% CL, CMB+BAO-DESIY1)}$$



Latest lab. Limit KATRIN:

[2406.13516]:

$$\Sigma m_\nu < 1.5 \text{ eV (95 \% CL)}$$

vs.

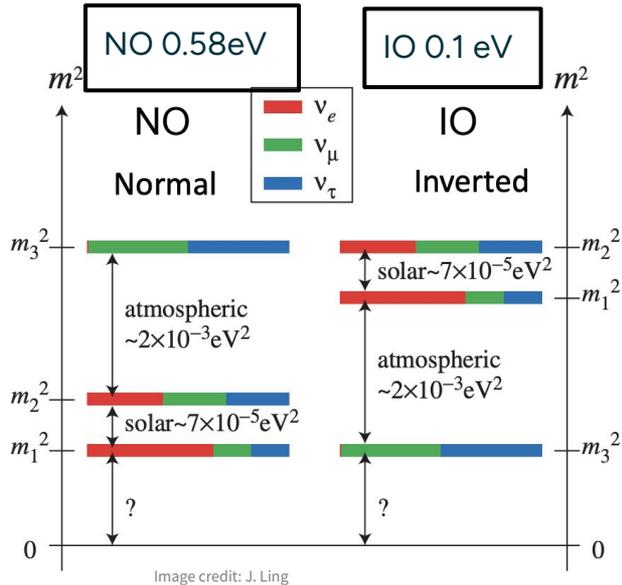
& bound from Planck + SDSS

Planck+SDSS [1807.06209]

$$\Sigma m_\nu < 0.12 \text{ eV (95 \% CL)}$$

# Sum of the neutrino masses and Cosmology

From experimental point, cosmology can NOT be described by  $\sum m_\nu = 0$ ,  $\sum m_\nu$  at least 58 meV from oscillation experiments, i.e.: Super-Kamiokande, SNO, KamLAND).



- We found employing most robust data sets, statistical validations, theory accuracy :

P18+CMB lensing+DESI(BAO)	$\sigma$
Preference $\sum m_\nu = 0$ over NO	1.36
Preference NO over IO	1.47

H.García Escudero and K. Abazajian Dec. 2024 ([2412.05451](https://arxiv.org/abs/2412.05451))

-Other CMB analysis don't significantly change results

([arxiv: 1610.02743](https://arxiv.org/abs/1610.02743))

Upcoming cosmological surveys expected 2-3  $\sigma$  sensitive to  $\sum m_\nu$  in the minimal mass scenario.

# Upper limits $\Sigma m_\nu$ inferred from cosmology

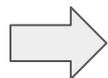
Using broad suite of 9 combinations of datasets:

-3 separate CMB analysis

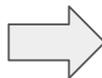
-3 three separate SNe survey data

+CMB Lensing (PR4 + ACT DR6)

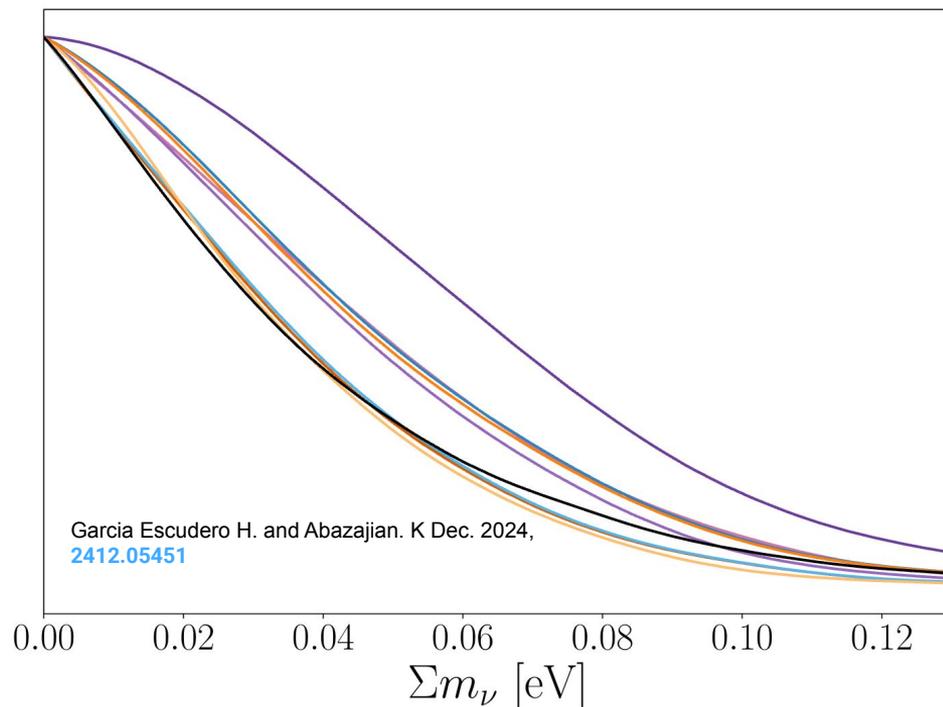
+DESI BAO DR1



derive constraints on the  $\Sigma m_\nu$



Datasets			
CMB Planck	CMB Lensing	BAO	SNe
P18	Lensing PR4 +	DESI DR1	PP
CamSpec	ACT DR6		U3
P20			DES Y5



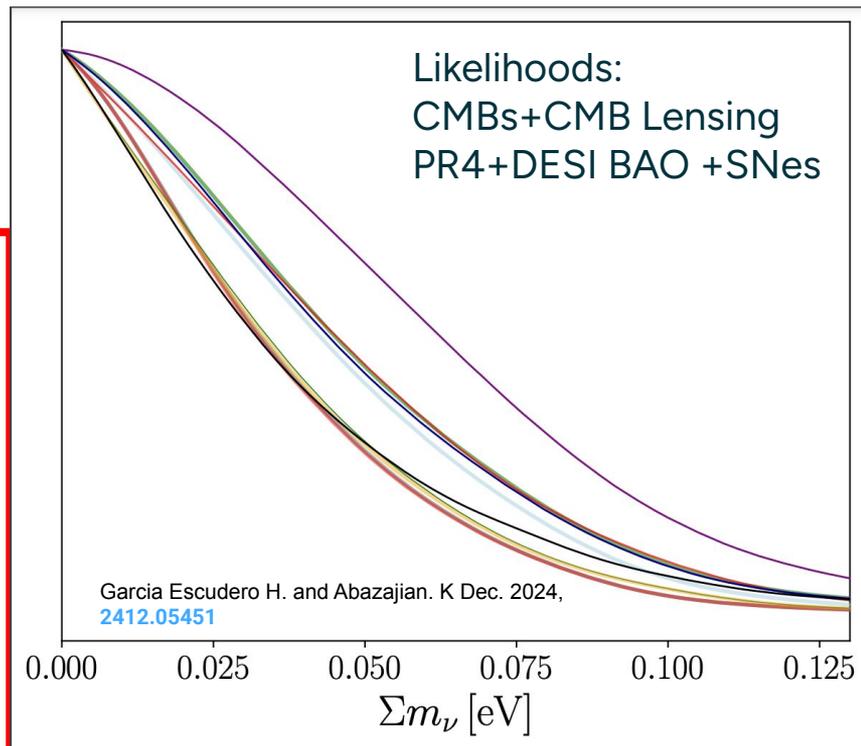
# Negative neutrino mass anomaly

$$\Sigma m_\nu < 76.9 \text{ meV to}$$
$$\Sigma m_\nu < 108 \text{ meV (95\%CL)}$$

3 clusters:

- Stringent  $\Sigma m_\nu$  bound (4 curves)
- Moderate  $\Sigma m_\nu$  bound (4 curves)
- Relaxed  $\Sigma m_\nu$  bound (1 curve)

We find P20 PR4 with DES Y5 provide the **most relaxed bound** on neutrino mass only at the  $\approx 1.1 \sigma$  vs. NO (58 meV)



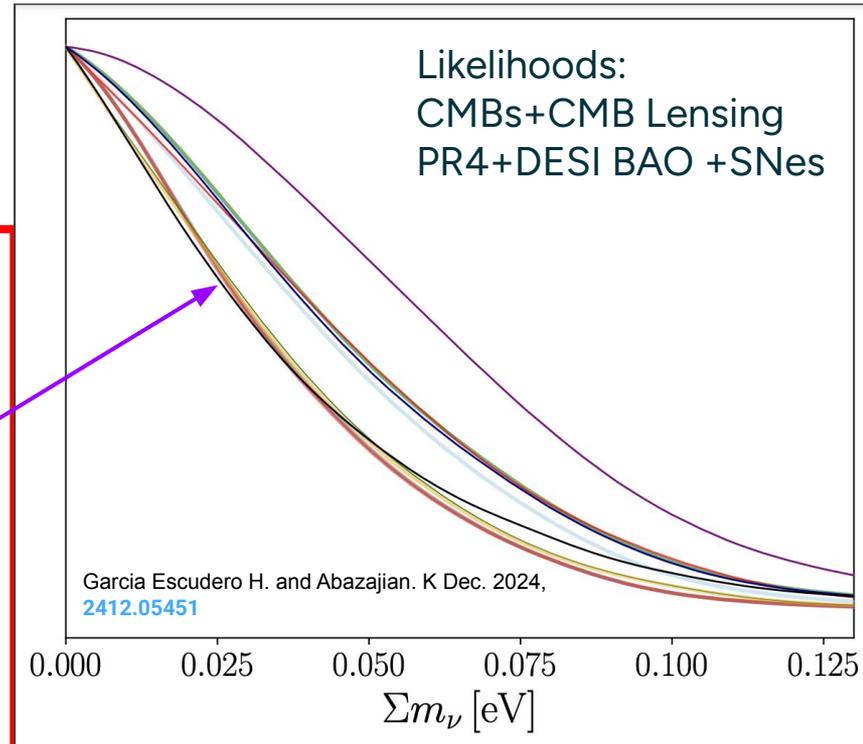
# Negative neutrino mass anomaly

$$\Sigma m_\nu < 76.9 \text{ meV to}$$
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3 clusters:

-**Most stringent  $\Sigma m_\nu$  bound**

P18/CamSpec and U3/PP combinations



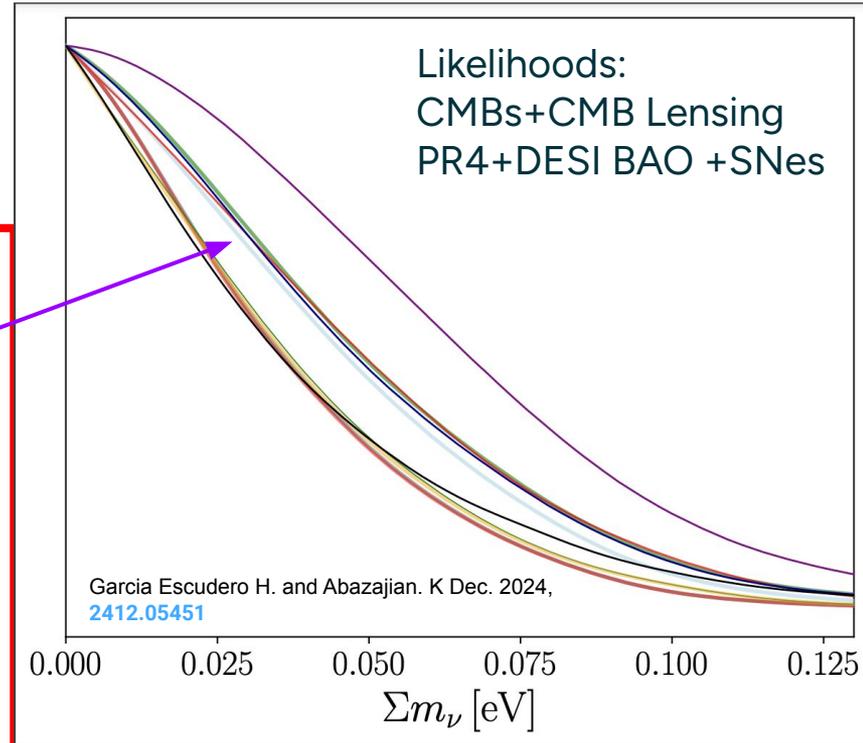
# Negative neutrino mass anomaly

$$\Sigma m_\nu < 76.9 \text{ meV to}$$
$$\Sigma m_\nu < 108 \text{ meV (95\%CL)}$$

3 clusters:

**-Moderate  $\Sigma m_\nu$  bound**

P18/CamSpec + DES Y5  
&  
P20 + U3/PP

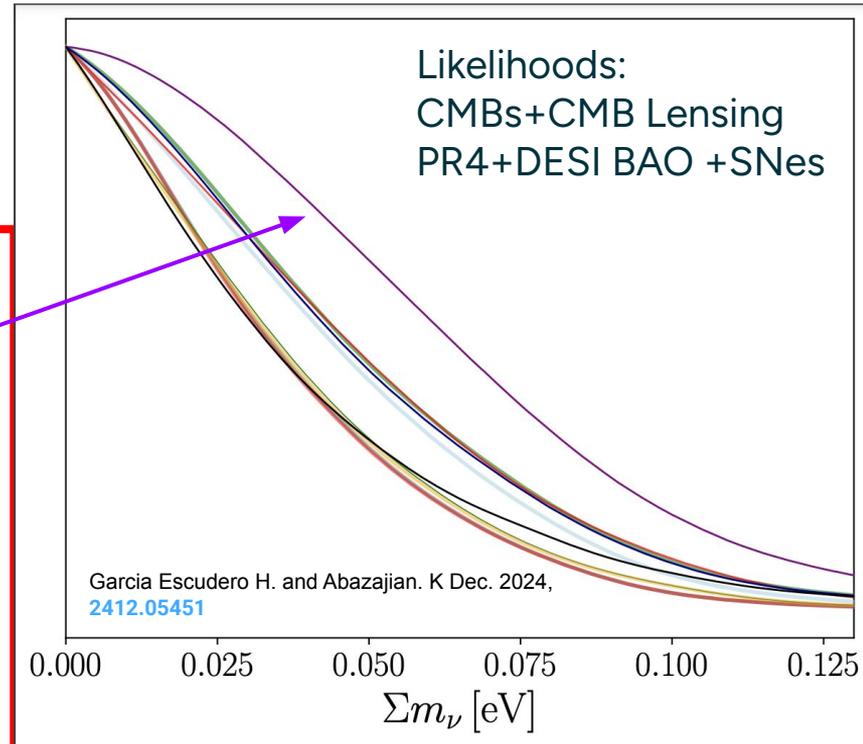


# Negative neutrino mass anomaly

$$\Sigma m_\nu < 76.9 \text{ meV to}$$
$$\Sigma m_\nu < 108 \text{ meV (95\%CL)}$$

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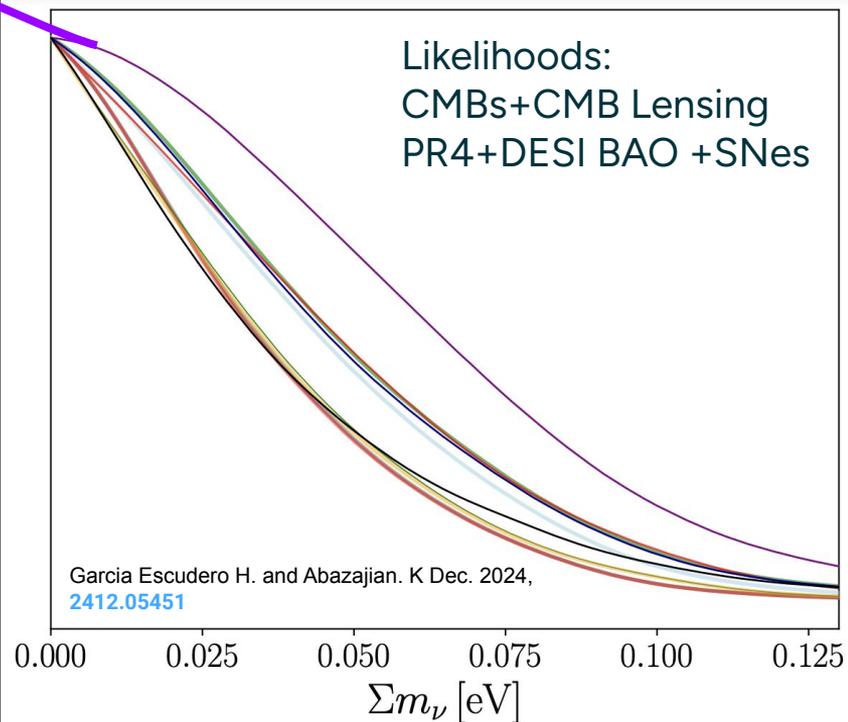
# Negative neutrino mass anomaly

$\Sigma m_\nu$ (P18, DESI, & PP) < 82.1 meV,  
 $\Sigma m_\nu$ (P18, DESI, & U3) < 82.1 meV,  
 $\Sigma m_\nu$ (P18, DESI, & DESY5) < 98.0 meV,  
 $\Sigma m_\nu$ (CamSpec, DESI, & PP) < 76.9 meV,  
 $\Sigma m_\nu$ (CamSpec, DESI, & U3) < 77.0 meV,  
 $\Sigma m_\nu$ (CamSpec, DESI, & DES Y5) < 86.6 meV,  
 $\Sigma m_\nu$ (P20, DESI, & PP) < 94.1 meV,  
 $\Sigma m_\nu$ (P20, DESI, & U3) < 93.8 meV,  
 $\Sigma m_\nu$ (P20, DESI, & DESY5) < 108 meV,

and (P20 PR4:  
effects.  
vs.  $A_{\text{lens}} > 1$   
Spec),  $0.75\sigma$  (P20)

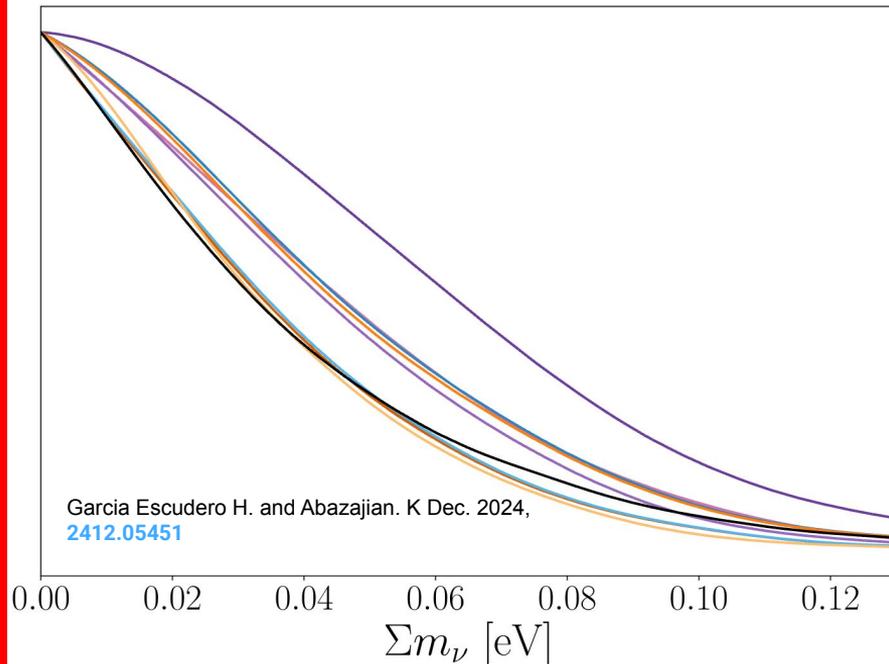
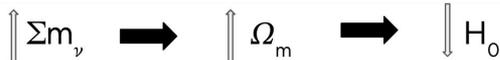
Late time expansion history, and 3 SNe samples:  
PantheonPlus, Union 3 and (DESY5)

We find P20 PR4 with DES Y5  
provide the **most relaxed**  
**bound** on neutrino mass only  
at the  $\approx 1.1 \sigma$  vs. NO (58 meV)

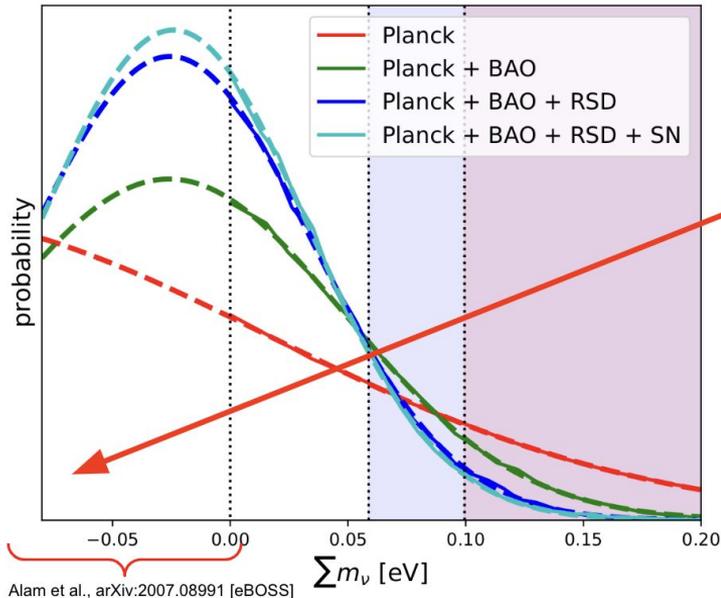


# Relaxation upper limits $\Sigma m_\nu$

- **CMB:P20 least lensing anomaly**  
( $A_{\text{lens}}$  closer to 1)
  - More statistical power.
  - Better handle systematic effects.
  - $A_{\text{lens}}$  anomaly:  $A_{\text{lens,LCDM}} = 1$  vs.  $A_{\text{lens}} > 1$   
2.8  $\sigma$  (P18) vs. 0.75 $\sigma$  (P20)
- SNe survey data: **DESY5 highest  $\Omega_m$**   
(different  $\Omega_m$ : Pantheon+, Union 3 & DESY5)



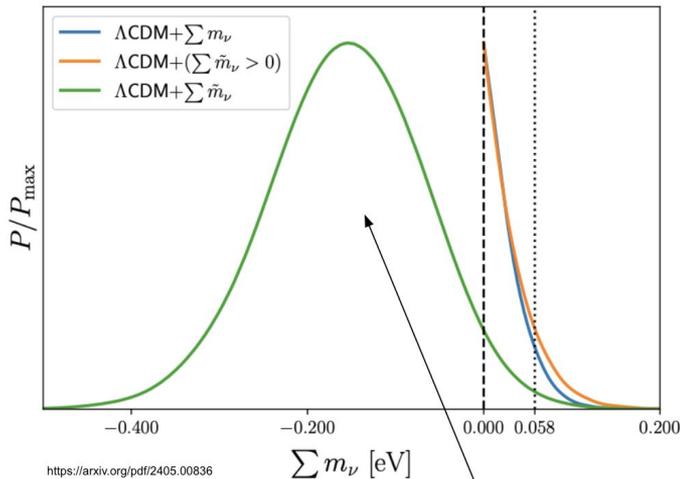
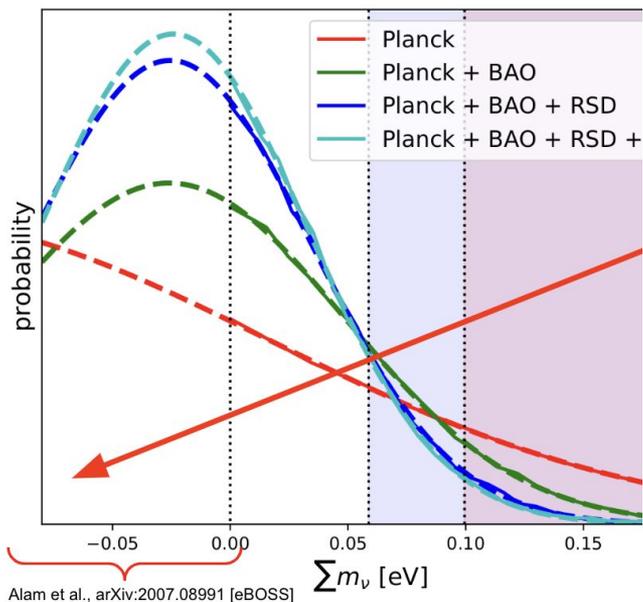
# Negative neutrino mass anomaly



Where is the stringency preference of negative  $\Sigma m_\nu$  coming from?



# Negative neutrino mass anomaly



Posterior of  $\sum m_\nu$   
(eV) inferred from  
Planck + ACT  
Lensing + DESI

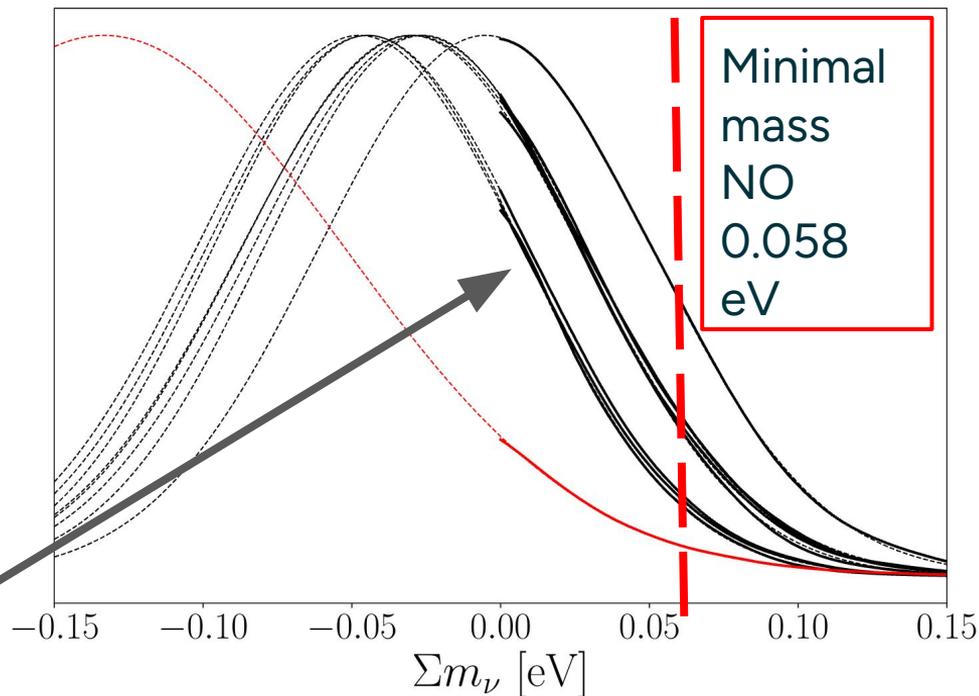
$$\sum m_\nu = -160 \pm 90 \text{ meV} (68\%)$$

# NEGATIVE NEUTRINO MASS ANOMALY

Fit of Gaussian functions to the posterior distributions to recover the  $\mu$  &  $\sigma$  for each combination:

Datasets			
CMB Planck	CMB Lensing	BAO	SNe
P18			PP
CamSpec	Lensing PR4 +	DESI DR1	U3
P20	ACT DR6		DES Y5

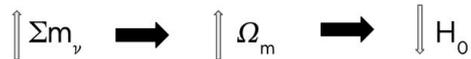
All range **below  $2\sigma$  level vs.**  
NO 0.058 eV



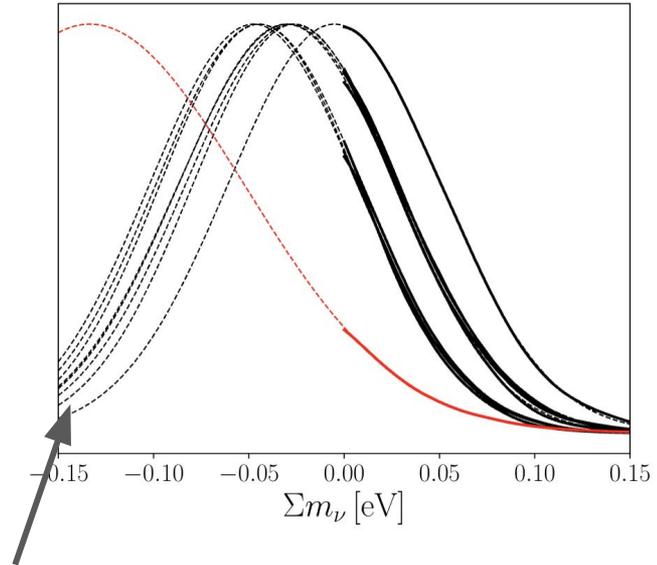
Garcia Escudero H. and Abazajian. K Dec. 2024,  
[2412.05451](#)

# Negative neutrino mass anomaly

- Possible origin of “negative” neutrino mass bounds:
  - CMB lensing excess arXiv: HGE in prep., 2407.07878, 2407.13831
  - Late time expansion history ( $\Omega_m$ ) arXiv: HGE in prep., 2404.03002



- Unphysical negative masses weak tension at  $\lesssim 2\sigma$  but worth exploring.
- Future CMB, BAO data study this discrepancy.



Black dashed curves represent the Gaussian fits

# Effective Number of Neutrino Species, $N_{\text{eff}}$

- Total cosmological number density of neutrinos

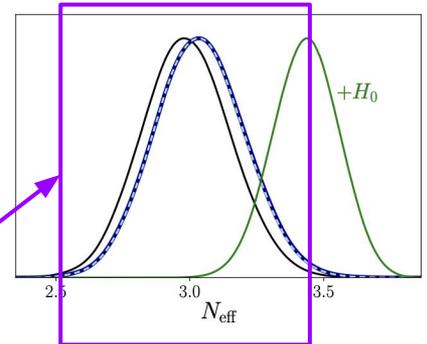
$$n_\nu = N_{\text{eff}} \left( \frac{3}{4} \right) \left( \frac{4}{11} \right) n_\gamma,$$

- $N_{\text{eff}} = 3 \Rightarrow$  neutrinos instantaneously decoupled from the primordial plasma.

- Neutrino properties early universe  $\rightarrow N_{\text{eff}} = 3.044$

arxiv 2005.07047

Upcoming cosmological survey 2-3  $\sigma$  sensitivity  $N_{\text{eff}}$  can find:



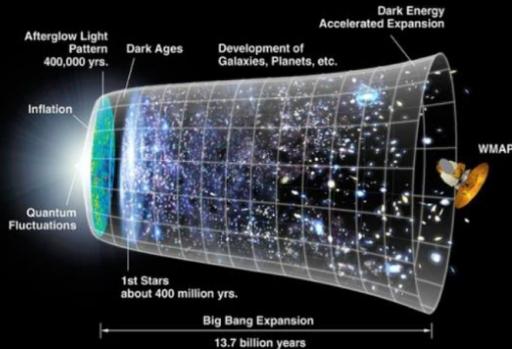
arxiv 1807.06209

$N_{\text{eff}}$  consistent with 3.044  $\rightarrow$

- Confirmation of standard cosmology
- Precise understanding thermal conditions universe.

# Signature of new physics?!

## The Standard Cosmological Model



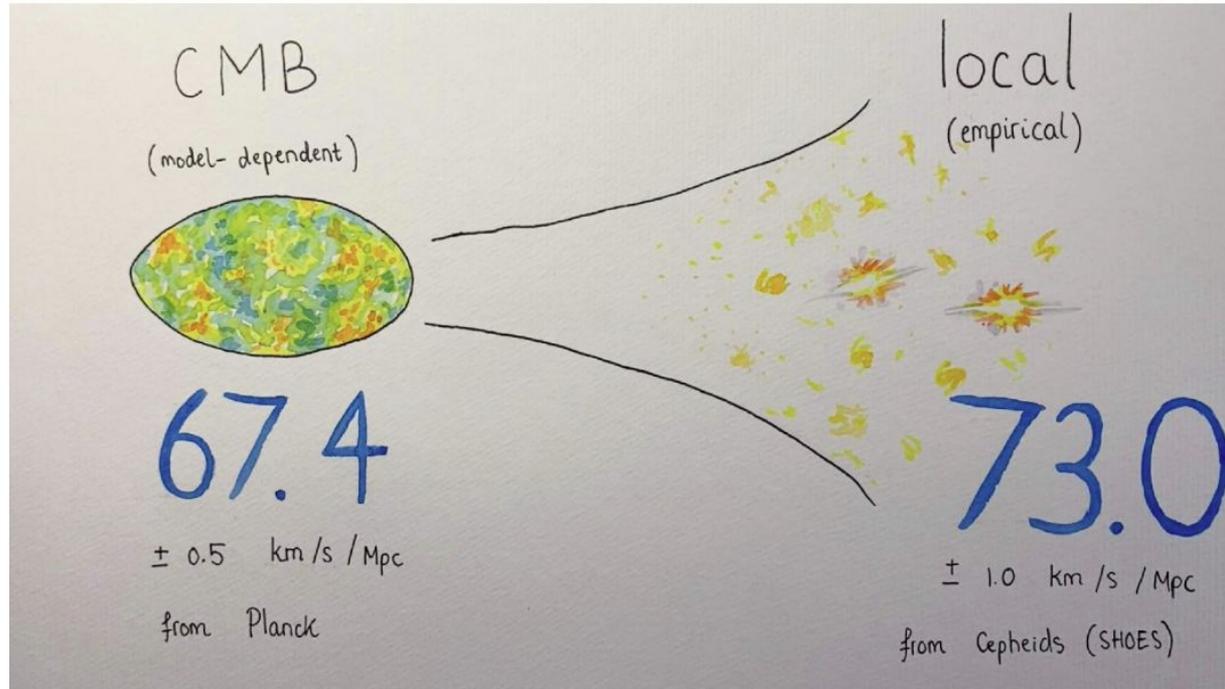
- Universe started with Big Bang
- Einstein gravity
- CDM, baryons, photons (++)
- Cosmological Constant
- Inflation
- adiabatic, near-gaussian fluctuations

Image Credit: NASA/ LAMBDA Archive / WMAP Science Team

$\Lambda$ CDM provides a great fit to most cosmological data, but ...

a few significant statistically tensions arise

# Cosmological Tensions: Hubble or $H_0$ tension



We include last  $H_0$  value from SHOES collaboration:

$$H_0 = 73.04 \pm 1.04 \text{ km s}^{-1} \text{ Mpc}^{-1}$$

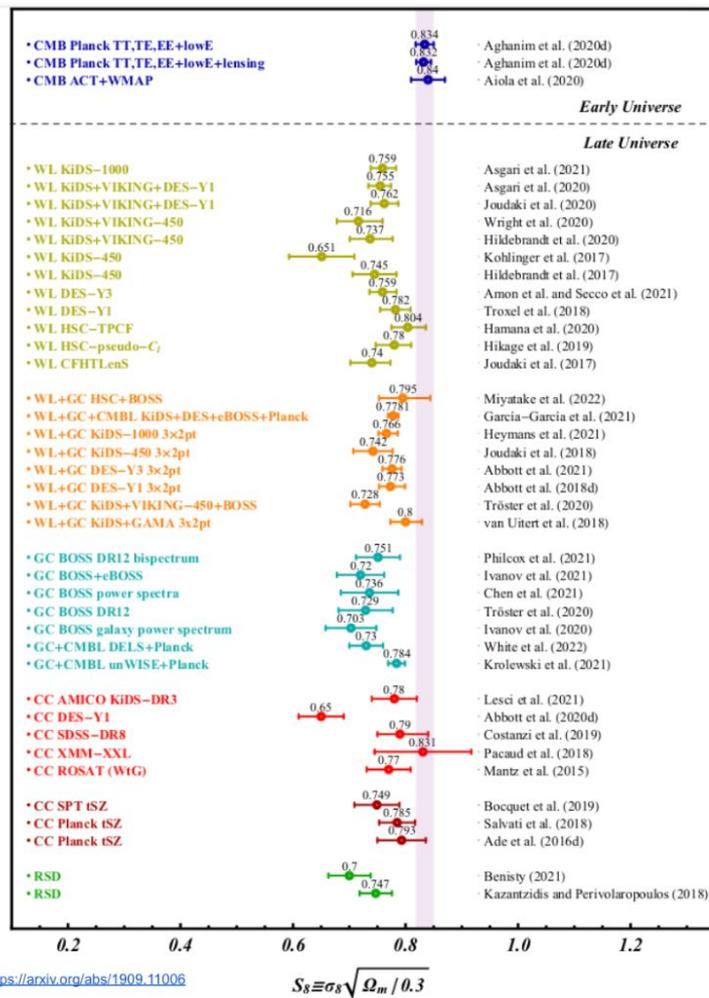
Image credit: Nikki Aradnese

# Cosmological Tensions: $S_8$

## $S_8$ tension:

$$S_8 = \sigma_8 \sqrt{\frac{\Omega_m}{0.3}}$$

- $\sigma_8$  measures the amplitude or rate of growth of structure.
- Mismatch between:
  - $\uparrow S_8$  CMB+ $\Lambda$ CDM (  $S_8 = 0.832 \pm 0.013$  )
  - $\downarrow S_8$  low redshift probes:
    - Weak gravitational lensing (DES)
    - X-Ray Clusters
    - SZ Clusters

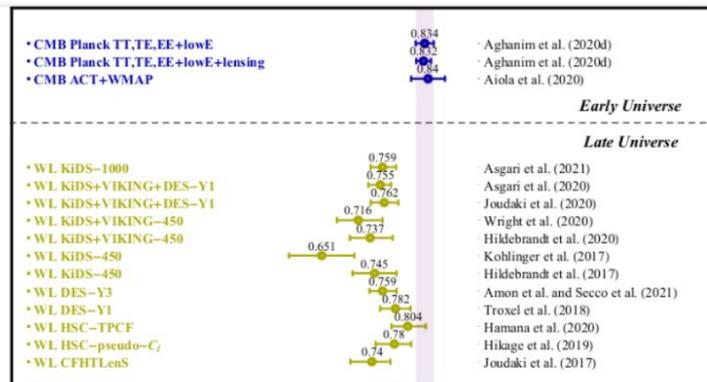


# Cosmological Tensions: $S_8$

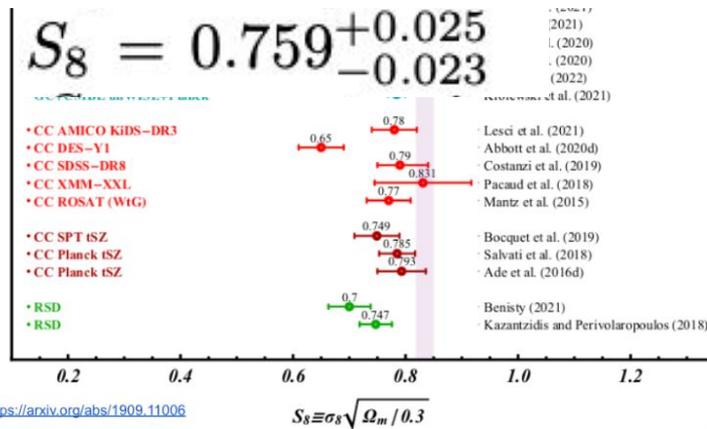
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  - $\downarrow S_8$  low redshift probes:
    - Weak gravitational lensing (DES)
    - X-Ray Clusters
    - SZ Clusters



We include  $S_8$  value from Dark Energy Survey Year 3



$N_{\text{eff}}$  significantly different from 3.044 = **signature of new physics!**

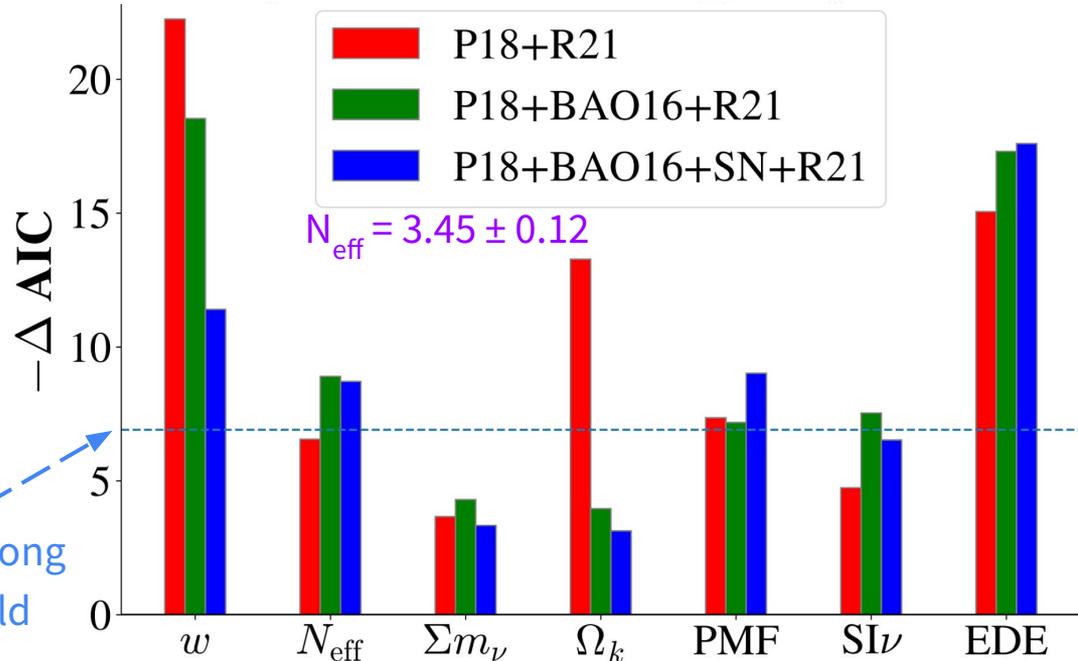
Exploration alleviation  
cosmological tensions

-4 “winners”: EDE,  
 $\omega$ CDM, PMF &  $N_{\text{eff}}$

- $N_{\text{eff}}$  is a preferred model  
comparable with other  
existing candidates

-6.91 Strong  
Threshold

$$\Delta\text{AIC} \equiv -2(\ln \mathcal{L}_{\mathcal{M}} - \ln \mathcal{L}_{\Lambda\text{CDM}}) + 2(N_{\mathcal{M}} - N_{\Lambda\text{CDM}})$$



$N_{\text{eff}}$  significantly different from 3.044 = **signature of new physics!**

Exploration alleviation  
cosmological tensions

-Extra  $N_{\text{eff}}$  reduces  $r_s$

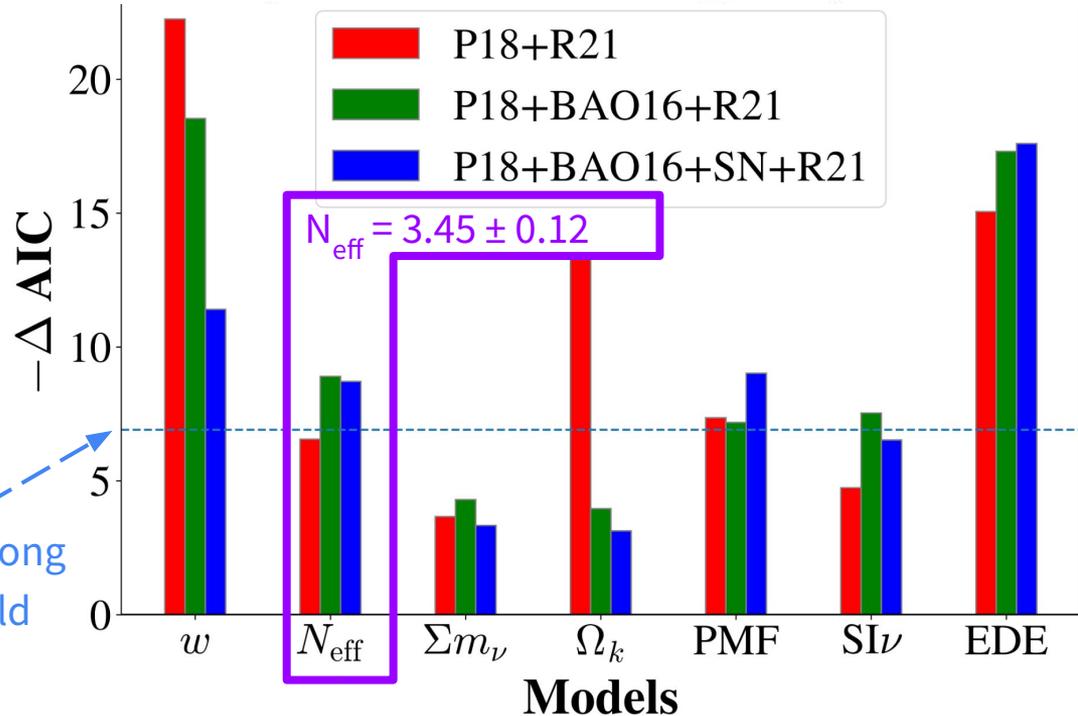
$$r_s = \frac{1}{H_{\text{rec}}} \int_0^{t_{\text{rec}}} \frac{c_s(t) dt/t_{\text{rec}}}{[\rho(t)/\rho(t_{\text{rec}})]^{1/2}}$$

-Smaller  $r_s$  increases  $H_0$

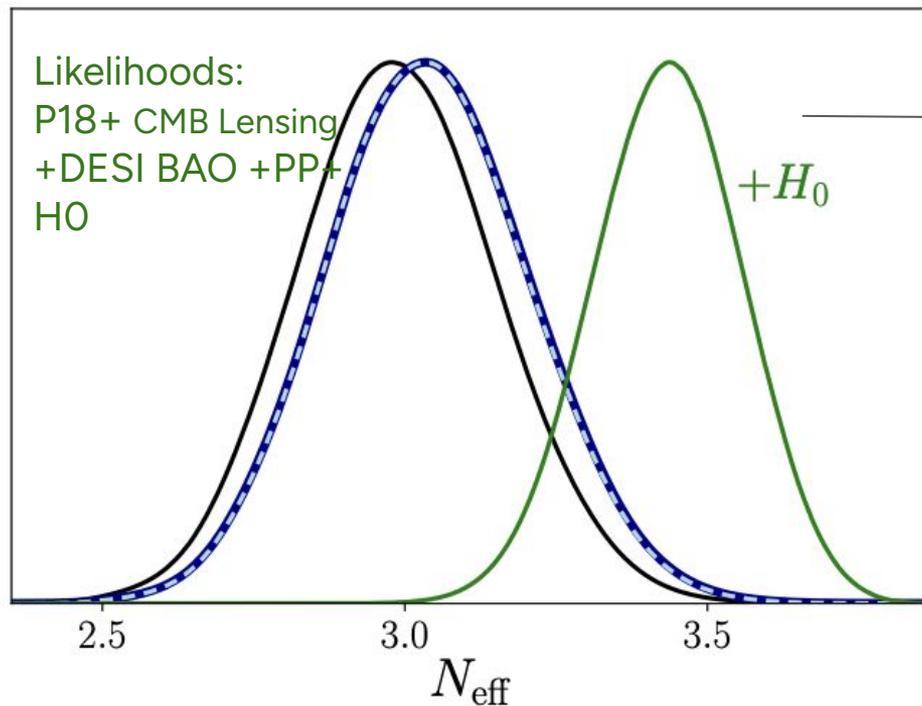
$$H_0 = H_{\text{rec}} \frac{\int_{t_{\text{rec}}}^{t_0} \frac{c dt/t_0}{[\rho(t)/\rho_0]^{1/2}}}{\int_0^{t_{\text{rec}}} \frac{c_s(t) dt/t_{\text{rec}}}{[\rho(t)/\rho(t_{\text{rec}})]^{1/2}}}$$

-6.91 Strong  
Threshold

$$\Delta\text{AIC} \equiv -2(\ln \mathcal{L}_{\mathcal{M}} - \ln \mathcal{L}_{\Lambda\text{CDM}}) + 2(N_{\mathcal{M}} - N_{\Lambda\text{CDM}})$$



$N_{\text{eff}}$  significantly different from 3.044 = signature of new physics!



$N_{\text{eff}} = 3.45$  (CMB+BAO+SN PP + $H_0$ )

**Updating the calculations  
with DESI BAO DR1 and  
Pantheon + SNe sample**

**$N_{\text{eff}}$  is a preferred model:  
 $\Delta\text{AIC} = -10.9$**

# Short baseline anomalies and Sterile neutrinos

- $N_{\text{eff}}$  higher than 3.044 = new physics =?? hidden neutrino sector!
- Short baseline neutrino oscillations results ( Super-Kamiokande, LSND, MiniBooNE) and Gallium anomaly (i.e.: SAGE, GALLEX, BEST), hint richer neutrino sector.
- More than 3 active neutrinos with one (or more ) sterile flavors.

TOTALLY THERMALIZED STERILE NEUTRINOS  $N_{\text{eff}} = 4.044$ ;  $m_{\nu, \text{ster}} = \text{free}$

$$\Delta N_{\text{eff}} = \left[ \frac{7}{8} \frac{\pi^2}{15} T_\nu^4 \right]^{-1} \frac{1}{\pi^2} \int dp p^3 f_s(p), \quad \omega_s \equiv \Omega_s h^2 = \frac{m_s^{\text{eff}}}{94.1 \text{eV}} = \frac{h^2 m_s^{\text{ph}}}{\pi^2 \rho_c} \int dp p^2 f_s(p),$$

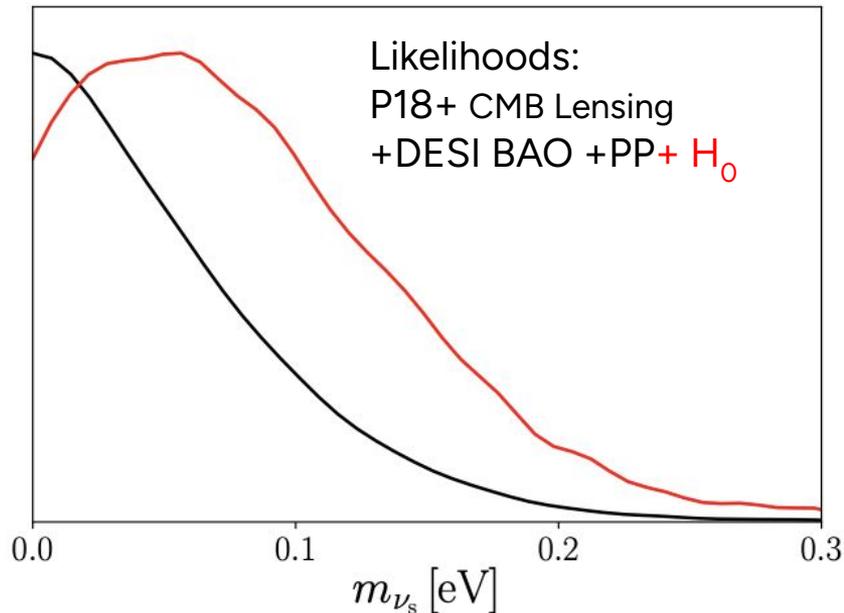
# Totally thermalized Sterile Neutrinos

- Strongly disfavored using P18+ CMB Lensing +DESI BAO +PP vs.  $\Lambda$ CDM.

$$\Delta\text{AIC} > 20$$

- When + $H_0$   $\Rightarrow$   $\Delta\text{AIC} = 4.5$

- A fully thermalized eV scale short baseline sterile neutrino is as consistent with  $H_0$  tension as  $\Lambda$ CDM



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# Short baseline anomalies and Sterile neutrinos

## Partially THERMALIZED STERILE NEUTRINOS

3 thermalization cases for 0.1 eV and 1 eV

1.-  $N_{\text{eff}} = 3.49$ ;  $m_{\nu, \text{ster}} = 0.1 \text{ eV}$  and  $1 \text{ eV}$

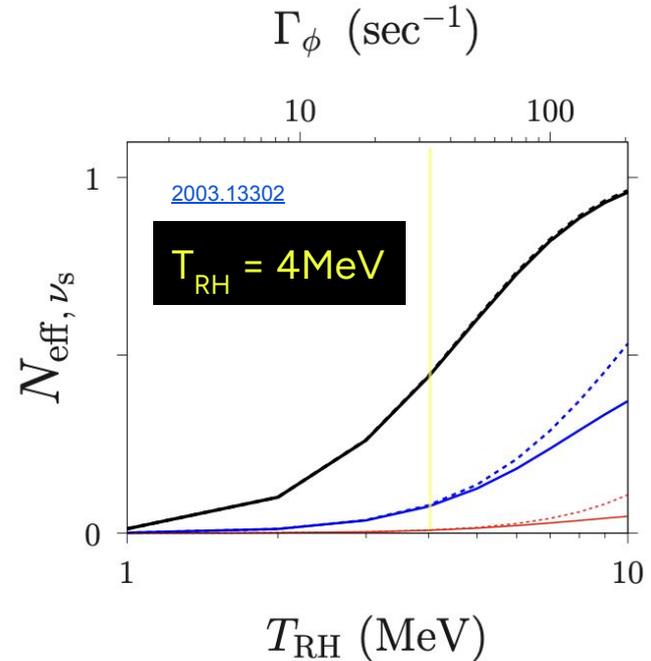
2.-  $N_{\text{eff}} = 3.12$ ;  $m_{\nu, \text{ster}} = 0.1 \text{ eV}$  and  $1 \text{ eV}$

3.-  $N_{\text{eff}} = 3.05$ ;  $m_{\nu, \text{ster}} = 0.1 \text{ eV}$  and  $1 \text{ eV}$

Results adding  $H_0$

-0.1 eV:  $\Delta\text{AIC} = -11.0, -3.7, -2.1$

-1eV:  $\Delta\text{AIC} = 25.9, 0.8, 1.1$

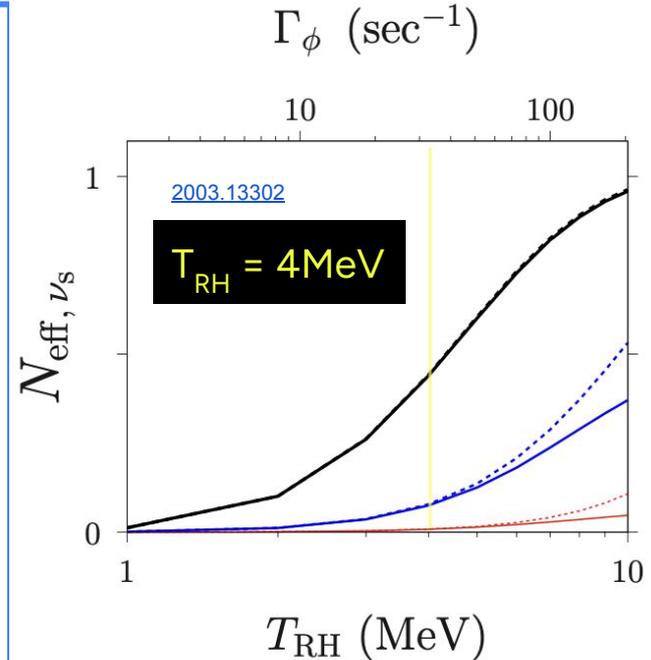


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# Short baseline anomalies and Sterile neutrinos

## Partially THERMALIZED STERILE NEUTRINOS :

- 0.1 eV partially thermalized sterile neutrinos studied are preferentially fit to data alleviating Hubble tension better than  $\Lambda$ CDM.
- Model with 0.1 eV part. Therm. ster. neutrino with  $N_{\text{eff}} = 3.39$  is strongly preferred over  $\Lambda$ CDM by its AIC as well as  $\Delta\chi^2 > 3\sigma$ .
- Preference due to correlation  $N_{\text{eff}} - \Sigma m_\nu$  in BAO; both can increase without altering BAO



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# 11-parameter model: $\Lambda$ CDM + $w_0/w_a + \Omega_k + \Sigma m_\nu + N_{\text{eff}}$

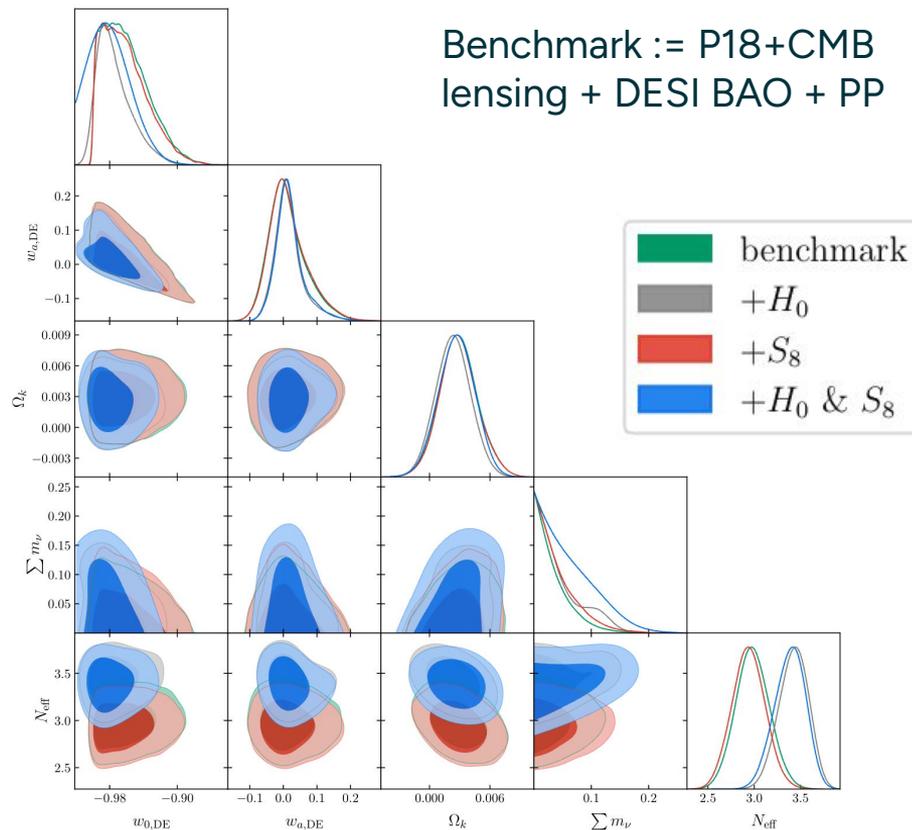
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- Simple parameterizations don't often work.
- Test a significantly relaxed model
- Consistency with  $\Lambda$ CDM except:

- $w_0$  more positive than  $\Lambda$  over  $3\sigma$   
-less than  $2\sigma$  away from flat

Parameters	Benchmark
$\Omega_b h^2$	$0.02236 \pm 0.00022$
$\Omega_c h^2$	$0.1184 \pm 0.0028$
$\log(10^{10} A_s)$	$3.053 \pm 0.016$
$n_s$	$0.9639 \pm 0.0084$
$\tau_{\text{reio}}$	$0.0586^{+0.0069}_{-0.0077}$
$100\theta_{\text{MC}}$	$1.04107 \pm 0.00043$
$\Sigma m_\nu$ (95% CL)	$< 97.0$ meV
$N_{\text{eff}}$	$2.98 \pm 0.18$
$\Omega_k$	$0.0029 \pm 0.0019$
$w_0$	$-0.961^{+0.012}_{-0.037}$
$w_a$	$0.013^{+0.039}_{-0.066}$

Benchmark := P18+CMB lensing + DESI BAO + PP



# 11-parameter model: $\Lambda$ CDM + $w_0/w_a + \Omega_k + \Sigma m_\nu + N_{\text{eff}}$

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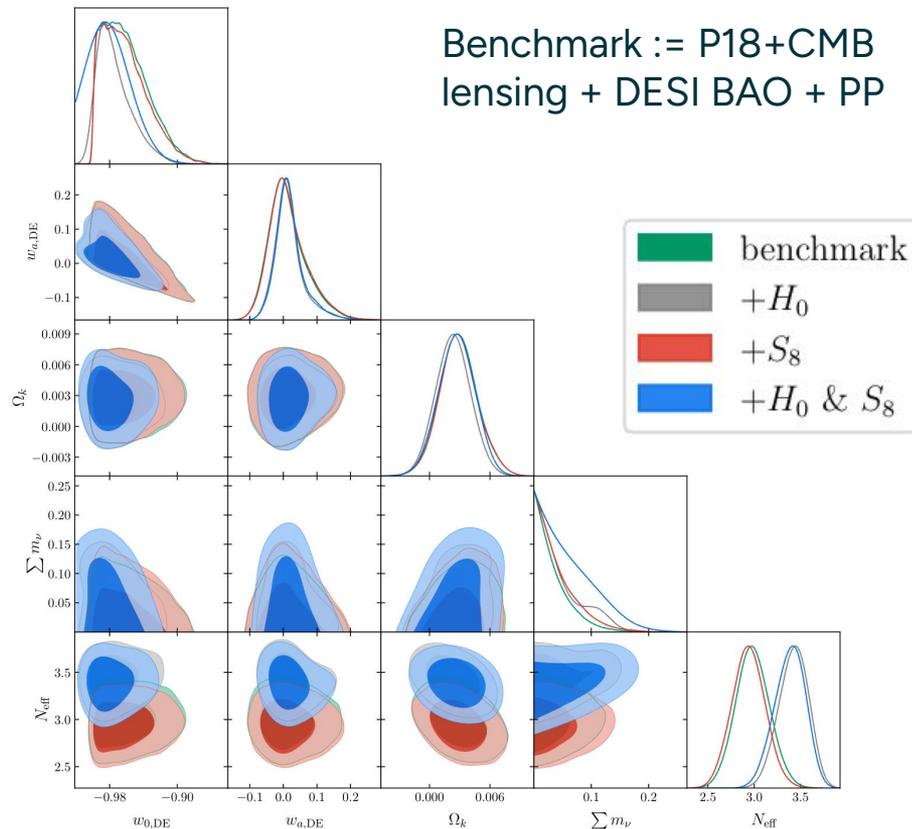
- Simple parameterizations don't often work.
- Test a significantly relaxed model
- Consistency with  $\Lambda$ CDM except:

Parameters	Benchmark
$\Omega_c h^2$	$0.02236 \pm 0.00022$

No preference for nontrivial  $w_a$  due to shifts in other cosmological parameters

$\Omega_k$	$0.0029 \pm 0.0019$
$w_0$	$-0.961^{+0.012}_{-0.007}$
$w_a$	$0.013^{+0.039}_{-0.066}$

Benchmark := P18+CMB lensing + DESI BAO + PP



# 11-parameter model: $\Lambda$ CDM + $\omega_0/\omega_a$ + $\Omega_k$ + $\Sigma m_\nu$ + $N_{\text{eff}}$

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Adding tension datasets:

Benchmark := P18+CMB lensing + DESI BAO + PP

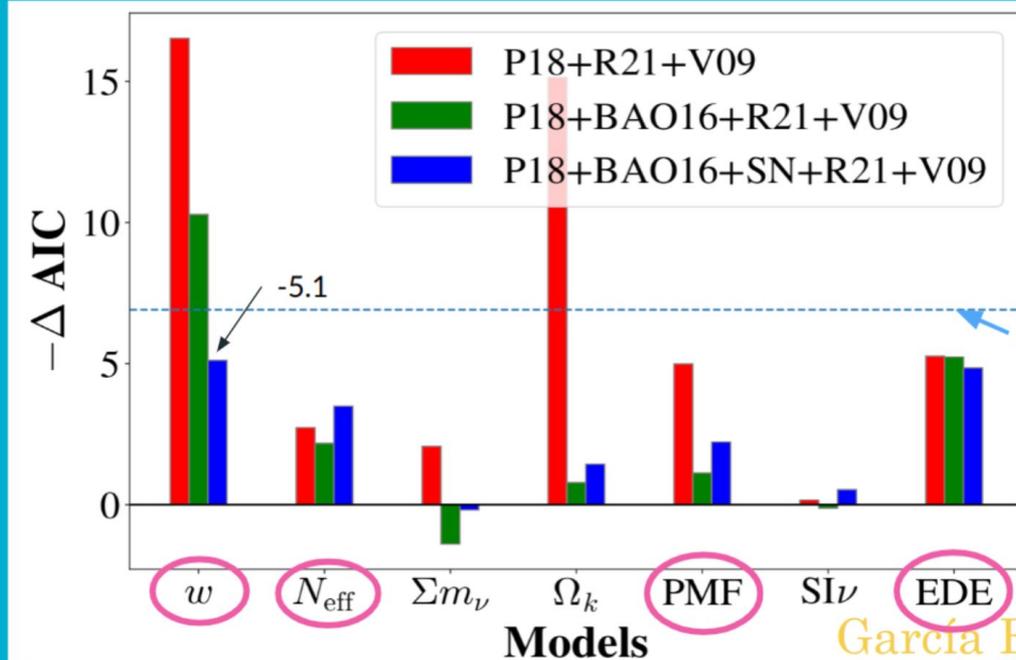
Parameters	Benchmark	+ $H_0$ Post.	+ $S_8$ Post.	+ $H_0$ & $S_8$ Post.
$\Omega_b h^2$	$0.02247 \pm 0.00013$	$0.02274^{+0.00017}_{-0.00020}$	$0.02237 \pm 0.00022$	$0.02273^{+0.00018}_{-0.00021}$
$\Omega_c h^2$	$0.1185 \pm 0.0083$	$0.1251^{+0.0028}_{-0.0025}$	$0.11756 \pm 0.0027$	$0.1241^{+0.0029}_{-0.0025}$
$\log(10^{10} A_s)$	$3.049 \pm 0.013$	$3.073 \pm 0.018$	$3.049 \pm 0.016$	$3.072 \pm 0.015$
$n_s$	$0.9683 \pm 0.0036$	$0.9808^{+0.0076}_{-0.0069}$	$0.9636 \pm 0.0084$	$0.9804^{+0.0076}_{-0.0068}$
$\tau_{\text{reio}}$	$0.0586 \pm 0.0071$	$0.0616 \pm 0.0089$	$0.0581 \pm 0.0074$	$0.0619^{+0.0074}_{-0.0060}$
$100\theta_{\text{MC}}$	$1.04108 \pm 0.00029$	$1.04044 \pm 0.00036$	$1.04119 \pm 0.00043$	$1.04048^{+0.0038}_{-0.0043}$
$\Sigma m_\nu$ (95% CL)	$< 82.1 \text{ meV}$	$< 125 \text{ meV}$	$< 112 \text{ meV}$	$< 130 \text{ meV}$
$N_{\text{eff}}$		$3.43 \pm 0.15$	$2.94 \pm 0.18$	$3.39^{+0.18}_{-0.13}$
$\Omega_k$		$0.0023 \pm 0.0017$	$0.0029^{+0.0017}_{-0.0020}$	$0.0027 \pm 0.0017$
$w_0$		$-0.975^{+0.012}_{-0.024}$	$-0.962^{+0.012}_{-0.036}$	$-0.978^{+0.018}_{-0.031}$
$w_a$		$0.016^{+0.027}_{-0.045}$	$0.015^{+0.039}_{-0.060}$	$0.019^{+0.028}_{-0.043}$

-Increase  $N_{\text{eff}}$

-Relaxation  
 $\Sigma m_\nu$  bound

# No model does better than $\Lambda$ CDM solving $H_0 + S_8$ simultaneously

## Which Model Provides the Best Solution to $H_0 + \sigma_8$ Problem?



Same for other low  $\sigma_8$  data sets... But recall  $\sigma_8$  may not be a lasting problem... but worth keeping an eye on it!

6.91 (Strong threshold)

- No model above the strong threshold!!

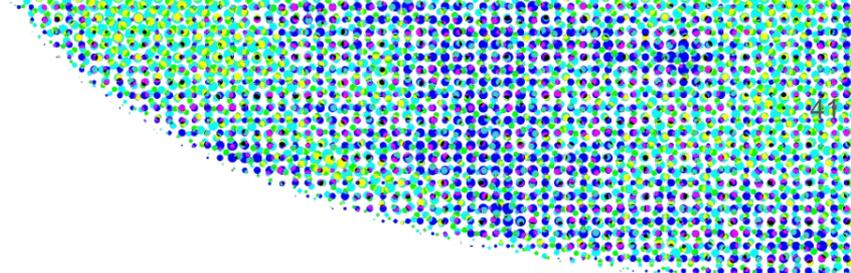
García Escudero+ 2022

# Conclusions and future work

- No model does better than  $\Lambda$ CDM in fitting cosmological data while solving cosmological tensions but...
- Include new cosmological data and reevaluate promising candidate models.
- Study and develop new candidate models further developing winner models:
  - 1.- New dynamical dark energy models
  - 2.- Primordial magnetic fields (include full magnetohydrodynamics (MHD) simulations)
  - 3.- Models providing extra  $N_{\text{eff}}$ : LRTs, exotic neutrino sector, ...

# Conclusions and future work

- Cosmological observations are a **very powerful tool** for high precision determination neutrino cosmological parameters.
- Combined cosmological probes (CMB-S4 + BAO) **revolutionize understanding of neutrino physics**:
  - 1.- Test standard cosmological model predictions.
  - 2.- Shred light to existing cosmological anomalies.
  - 3.- Test new physics.
- Upcoming observational results next decade critical understanding Universe!



**Thank you for attention!**  
**Questions?**

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